

Civilittee



SOIL

Notebook

Eng.

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Soil

* Soil Definition :-

civil engineering define soil as any un-cemented accumulation of minerals particles formed by the weathering of rocks, the voids spaces between the particles contain water and or air.

* Weathering of Rocks :-

1- physical weathering

Sand
Gravel

> differ in size but have same properties.

يمكن تحويل الرخام إلى رمل أو حصى من خلال التجوية الفيزيائية. Sand أو Gravel لا يختلفان في الخصائص.

2- chemical weathering

Clay
Silt

> differ in properties

> differ from the origin rock

لا يمكن تحويل الرخام إلى طين أو سيلت من خلال التجوية الكيميائية.

* Origin of clay minerals [كيفية نشأة الرخام] (طوبى)

"The contact between rocks & water produces clays, either at or near the surface of earth.

يحدث نشأة الرخام في الماء أو الهواء.

Water + Rock → clay (طوبى و جزيئات رقيقة)

minerals ← جزيئات في تركيبها و سلوكها

ex CO₂ gas can dissolve in water & form carbonic acid H₂CO₃, which will become hydrogen ions H⁺ & bicarbonate ions, and make water slightly acidic.

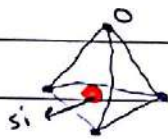
The acid water will react with the rock surface & tend to dissolve the K^+ ions & Si ions from the Feldspar.

تسقط الماء الحمضي ويدوب ذرة البوتاسيوم والسيليكون في معدن الفيلدسبار
 معدن أساسي في القشرة الأرضية. ٧٠٪ من تركيبة القشرة الأرضية

* clay minerals ^{couples} توجد على شكل أزواج ثنائية، عبارة عن كمية والوان مختلفة حسب الوان السيليكات

* Basic unit of clay mineral:-

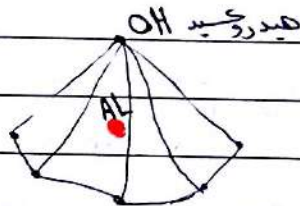
1- silica tetrahedra



ذرة سيليكونا محاطة بـ ٤ ذرات أكسجين

2- Al - octahedra

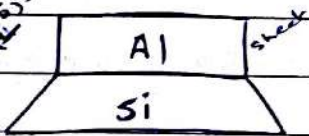
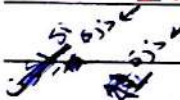
→ hexagonal hole.



clay mineral يتكون من ذرات الألومينا معاً مرتبطات بتركيبة السيليكا

- particle of clay not visible.

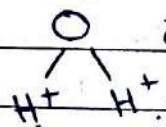
- 2:2 minerals - kaolinite.



7.2 Å
 $10^{-10} m$

Basal Spring spacing

[silica] platy shap (شرايح)



الماء له خاصية polarity القطبية

الماء يتحد مع سطح السيليكا لتكوين الجدران
 H₂O تتحد مع سطح السيليكا لتكوين الجدران

hydrogen bond

لا تستطيع الماء التداخل
 عن بعضها بابطال قوية

هذا النوع معروف فيه لأنه لا يحدث

swelling & cracking من

الاجابات والتأثيرات

chemical weathering

bonding between plates :-

1- von der Waals force.

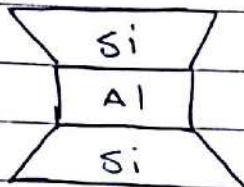
2- في مواد البناء يتواجد نوعان من القوى

2- hydrogen bonds.

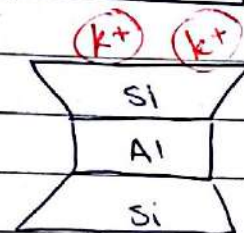
selected إما في السيليكات مع جميع المواد

* 2:1 minerals - Illite.

طبقة سيليكات بين طبقة Al



Flaky shap.



10 Å

surface Area أكبر المساحة أكبر المساحة

Area مساحة المساحة المساحة المساحة

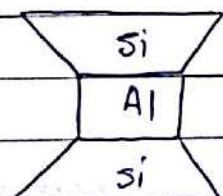
- Some of Si^{+4} in the tetrahedra are replaced by Al^{+3} & some of the Al^{+3} in octahedra sheet are replaced by the Mg^{+2}
- the change of deficiency is balanced by the potassium ion between layers [no swelling لا يتورق]
- strong bonds →

* potassium atom can exactly fit into the hexagon hole.

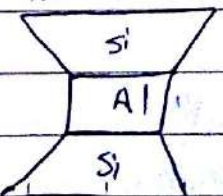
الحجم الفراغ تماماً لا يوجد أيون آخر لتجمل هذا الفراغ

فإن حجم الفراغ في الفراغ السداسي لأن ك نفس حجم الفراغ تماماً في الفراغ أكبر أو

* 2:1 Minerals - Montmorillonite



$n \cdot H_2O + \text{Cation} \rightarrow \text{except } K^+$



9.6 Å

بدون الماء

مع الماء: المساحة المساحة

* Soil texture :-

المميز بين ال physical وال chemical
كيف أنوع ال مواد

The texture soil is its appearance or feel & it depends on the relative size & shapes of the particles as well as the range or distribution of those sizes.

* Sieve #200 (200 hole in every inch) $D = 0.075 \text{ mm}$

Sieve analysis

Hydrometer analysis

coarse-grained

Fine-grained soils

Soils

Gravel

Sand

Silt

Clay

المميز بين ال مواد

sieve NO #200

particle = physical weathering $D = 0.075 \text{ mm}$

chemical weathering

charge

(non plastic & particles, مواد)

Gravels, sands

Silts

clays

Size

coarse grained

Fine grained

المميز بين ال مواد

المميز بين ال مواد

characteristics

Non plastic

المميز بين ال مواد

Non plastic

plastic

water on

relative

Important

Very important

behaviour

unimportant

effect of

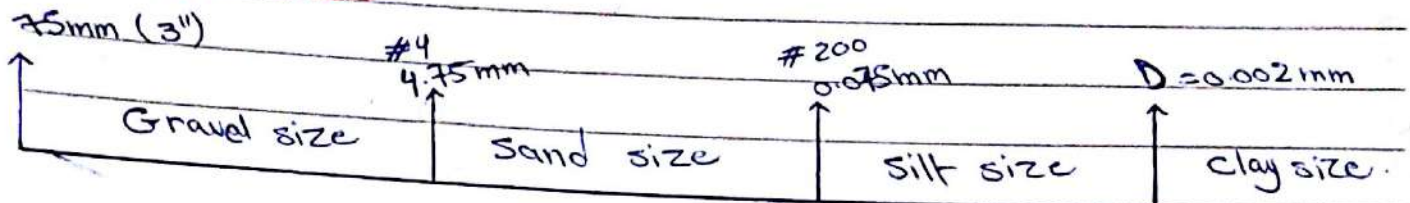
Important

Unimportant

grain size

المميز بين ال مواد

* Grain size



حجم ذرة clay

صق تكون clay لازم تكون من عائلة clay mineral

الفرق بين silt و clay ← يمكن التفرقة يكون plasticity (plasticity) clay minerals

إذا هي clay

أعز sieve يعني أصغر sieve #200 (0.075mm)

مما يتكون clay أو silt يجب أن يتواجد مع الماء ، إذا لم يكن المتواجد مع الماء

تفاعل مع الماء يكون تحت ذرته بين حجم ال clay و silt

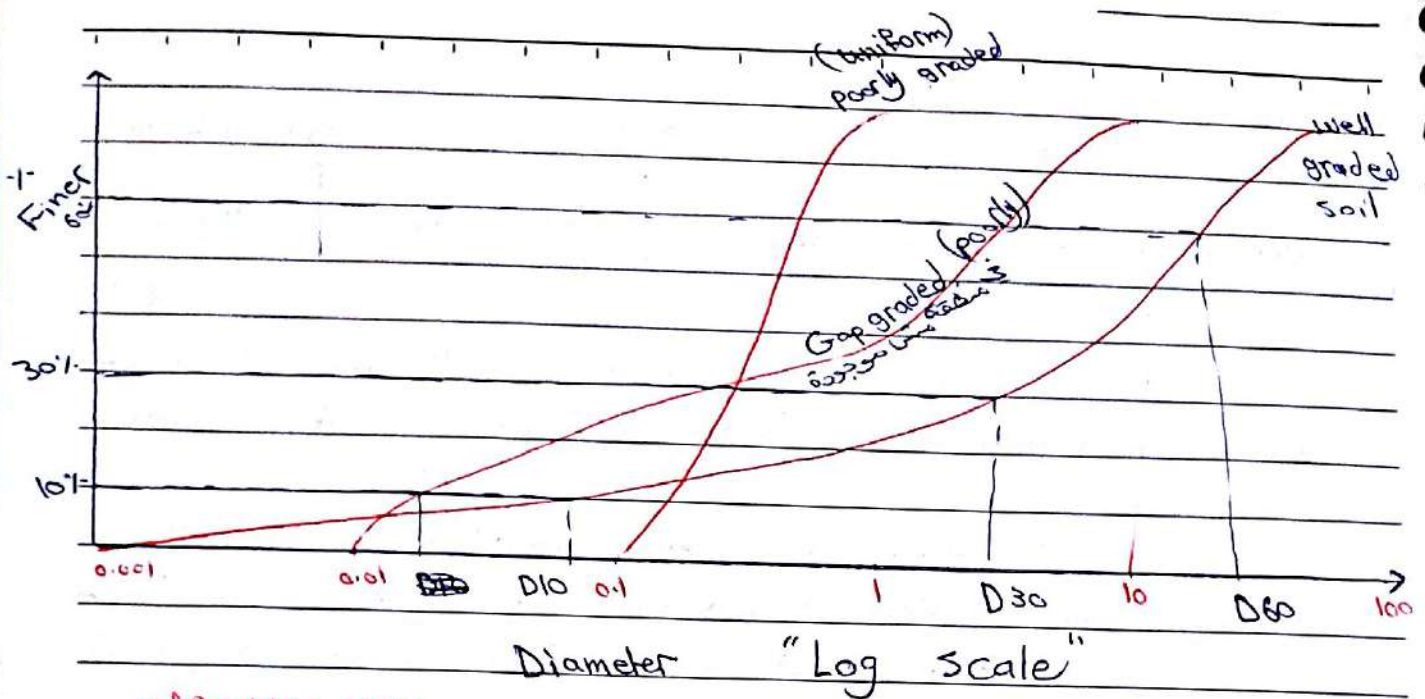
* Grain size distribution

Cumulative wt

Diameter	wt of soil retained	retained	% retained	% finer
$D = 75$ mm	x_1	x_1	$\frac{x_1}{1000} \times 100\%$	100% - % retained
63.5	x_2	$x_1 + x_2$	$\frac{x_1 + x_2}{1000} \times 100\%$	
50	x_3	$x_1 + x_2 + x_3$		
37.5	x_4			
25 mm	x_5			
3/4"	x_6			
#4	x_7			
:	:			
#200	x_8			
Pan	x_9			

* يجب أن أحد التاميم لـ soil أي يوت على أي sieve يوت على الآخر منه

Shaking test



effective size.

D10 : diameter corresponding 10% Finer

D30 : diameter corresponding 30% Finer

D60 : diameter corresponding 60% Finer.

* coefficient of uniformity $C_u = \frac{D_{60}}{D_{10}}$

*

* coefficient of curvature $C_c = \frac{(D_{30})^2}{(D_{10})(D_{60})}$

- Well Graded IF

1- $1 \leq C_c \leq 3$ and $C_u \geq 4$ --- Gravel

2- $1 \leq C_c \leq 3$ and $C_u \geq 6$ --- Sand

إذا واحد من هالنسرين ما يتحقق يكون poorly.

* Particles shape :-

- Rounded.

- subrounded

- Angular

- subangular

Fine-grained soil.
sheet

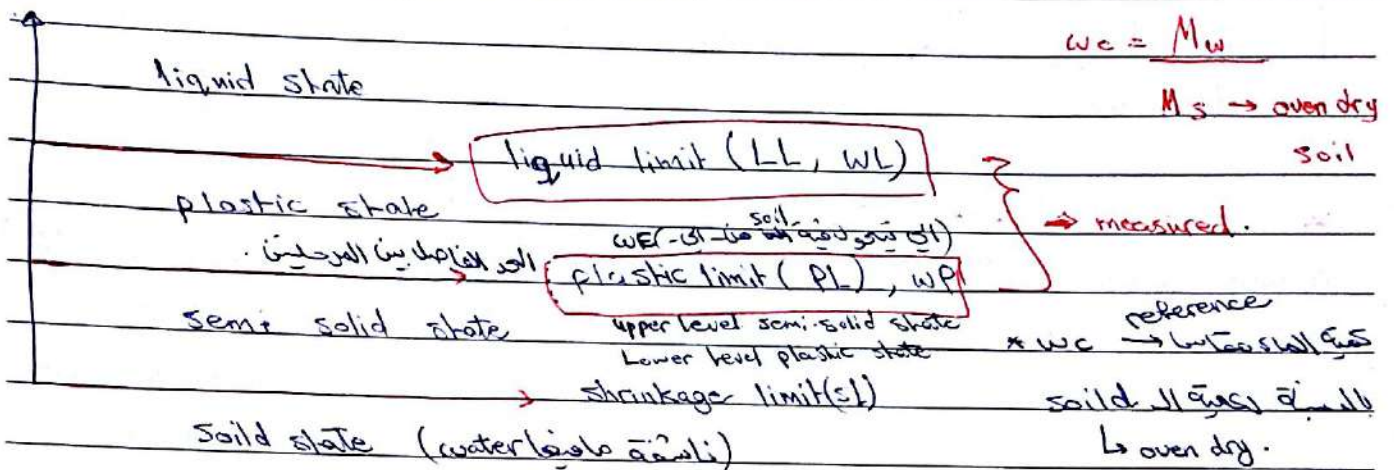
coarse
-grained
soil

2-2-2016

13. EGS

* Atterberg limits & consistency Indices.

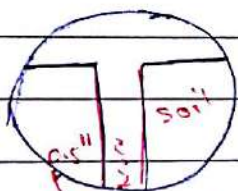
The presence of water in fine-grained soil can significantly affect associated engineering behaviour, so we need reference index to clarify the effects



* Liquid limit (LL)

- Casagrande method (ASTM D4318-95g)

- The water content (w_c) percentage required to closure a distance of 0.5" (12.7mm) along the bottom of the groove after 25 blows



25 blows

Diagram illustrating the Casagrande method setup. A circular soil sample is shown with a vertical groove. The distance between the two sides of the groove is 0.5 inches (12.7mm). The number of blows (N) is indicated.

No. of blows (N)

w_c

(LL)

$N_1 \approx 38$

w_{c1}

فريق وزر soil ثم يضاف بالزيت ثم

$N_2 \approx 28$

w_{c2}

واحد بعدا بوزن ثم الغزاة بينا

$N_3 \approx 20$

w_{c3}

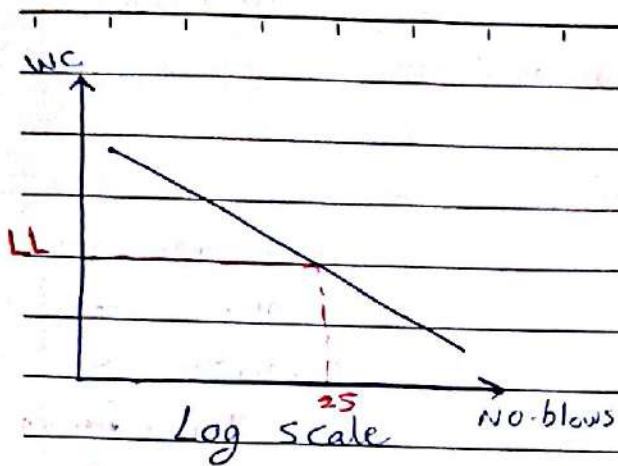
يكون كمية w ثم تصاع و (ad)

$N_4 \approx 15$

w_{c4}

فصل مع w_c

- واصلت من نقطة واصلت 0.5" في حيز ما والحدك سريع



* plastic limit, PL :-

$$LL > PL$$

Water content, $\left(\frac{M_w}{M_s}\right)$ at which a soil thread with 3.2 mm ($1/8$ ") just crumbles.

لو صار التربة تفتت قبل $1/8$ " يكون لها LL

ووصلت $1/8$ " وما صار خيطه يبقى يكون لها PL

وإذا ارتفع LL يكون عندك Swelling

* plasticity index (PI) = $LL - PL$ (plastic)

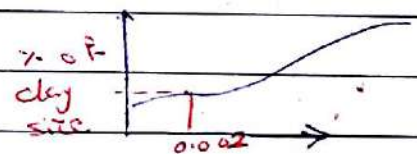
- Liquidity index, LI : $\frac{W_n - PL}{PI} \rightarrow$ Field (موقع)

W_n : Natural water content.

- $LI < 0.0 \rightarrow$ brittle fracture.

$0 < LI \leq 1.0 \rightarrow$ plastic.

$LI > 1.0 \rightarrow$ viscous liquid



* Soil Activity (A) = $\frac{PI}{\% \text{ of clay size}}$

المؤشر لدرجة مدى التربة الناعمة

Normal clay $0.75 < A < 1.25$

Hard Inactive clay $A < 0.75$

swelling clay

Active clay

$A > 1.25$

expansion swelling

4-2-2016

(4)

1. large volume change when wetted ($\Delta V/V$)
3. very reactive (chemically) [not stable]
2. large shrinkage when dried. ($\Delta V/V$)

- soil classification system

(viscosity behaviour)

- PI

($PI < 12$) Viscosity ($\Delta V/V$)

- $\Delta V/V$ when dried

Soil Classification

classifying soils into groups with similar behaviour, in terms of simple indices, can provide geotechnical engineers a general guidance about engineering properties of soil.

Simple indices $\rightarrow$ classification system (language) $\rightarrow$ Estimate engineering properties. $\rightarrow$ Achieve engineering purpose.

- unified soil classification system (USCS)

* Four major group :-

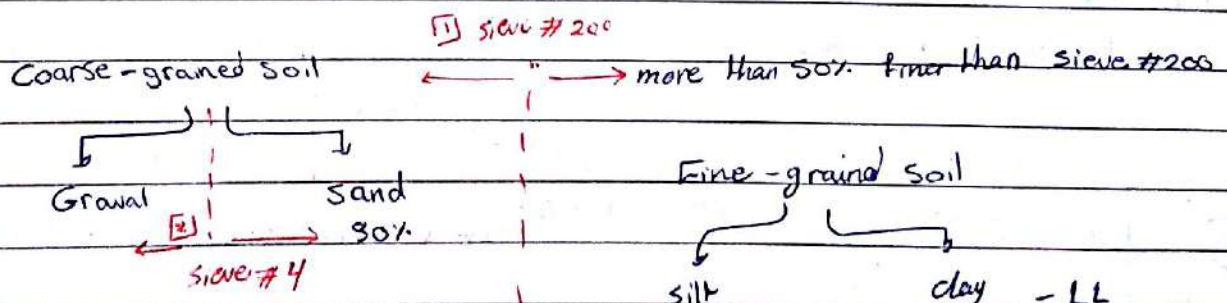
1- coarse-grained soil $\leftarrow$ sand

2- Fine-grained soil $\leftarrow$ silt clay

3- organic soils $\leftarrow$ (peat, lignite)

4- peat

$\leftarrow$ Fine in $\Delta V/V$



- Grain size distribution

- C_u (well graded or poorly graded)

- C_v (well graded or poorly graded)

* Soil symbols :-

G : Gravel

W : well graded

S : Sand

P : poorly graded

M : silt

H : high plastic soil. $LL \gg 50\%$

C : clay

L : low plastic soil $LL < 50\%$

O : organic

Pl : peat

- SW : well graded sand.

- CH : high plastic clay

- ML : low plastic silt

- SM : silty sand. MS

~~SH~~ : ~~clay~~

(I) IF more than 50% finer than sieve #200

Fine grained soil : (A) $LL \gg 50\%$ — Inorganic soil — CH IF PI soil ≥ 0.75 or ≥ 0.75 A-line.
 organic soil — MH IF PI soil ≥ 0.75 A-line.
 LL oven dry ≥ 0.75
 LL air dry ≥ 0.75

→ (CH) high plastic organic

- $PI - A_{line} = 0.73 (LL - 20)$

PI soil $>$ PI - A-line

(B) $LL < 50\%$ — Inorganic soil — CL IF PI soil $\geq A_{line}$
 — ML IF PI soil $< A_{line}$. $4 \leq 7$
 organic soil — LL oven dry ≥ 0.75 → (OL)
 LL air dry ≥ 0.75
 low plastic organic

7-2-2016

[5]

IF 15% < 3
3 < 4 > 4

① IF less than 50% finer than sieve # 200

② coarse-grained soil

less than 50% finer than sieve # 4

more than 50% finer than sieve # 200

more than 50% finer than sieve # 4

G

S

< 5%

5 - 12%

> 12%

Gp

Gw - Gc
Gw - GM

Gw - Gc - GM

GM

Gc - GM

cx

sieve NO

% finer

4

70%

200

30%

coarse-grained soil

LL

33%

PI

12%

HL
CL-XL
CL

< 5

S

> 12

[% finer than sieve # 200]

$$PI_{line} = 0.73(33 - 20) = 9.49$$

(PI soil) 12% > 9.49

SC clay sandy

question:-

soil ①

sieve NO

% finer

soil ②

soil ③

soil ④

soil ⑤

soil ⑥

4

99

99

97

100

100

100

10

92

92

90

100

100

100

40

86

86

40

100

100

100

100

78

78

8

99

99

99

200

60

60

[5] →

97

97

50

LL

20

55

—

124

even dry

124

124

PL

15

52

—

47

47

47

PI

5

3

N.P*

77

77

77

non plastic

LL in dry = 124
200

* Solution

* Soil (1)

Fine-grained soil $\begin{cases} \text{CL} \\ \text{CL-ML} \\ \text{ML} \end{cases} \quad 4 \leq PI \leq 7 \Rightarrow \text{CL-ML}$

* Soil (2)

Fine-grained soil $\begin{cases} \text{CH} \\ \text{MH} \end{cases}$

$$PI - A_{line} = 0.73(55 - 20)$$

$\therefore PI \text{ soil} < PI - A_{line}$

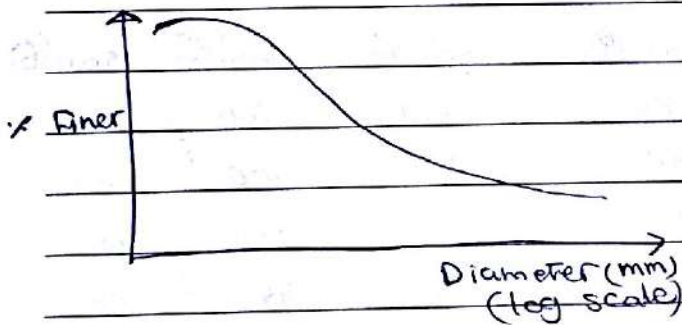
$\therefore \text{MH} : \text{high plastic silt}$

* Soil (3)

coarse-grained soil $\begin{cases} \text{Fines} \\ \#200 \\ \text{5} \\ \text{5-12} \\ \text{>12} \end{cases}$

SP $\Rightarrow$ SM

major, minor
sand $\rightarrow$ non plastic $\rightarrow$ clay
silt



$$D_{10} = 0.18 \text{ mm}$$

$$D_{30} = 0.34 \text{ mm}$$

$$D_{60} = 0.71 \text{ mm}$$

$$C_u = \frac{D_{60}}{D_{10}} = \frac{0.71}{0.18} = 3.9 \quad \text{not } 6$$

* Soil (4)

Fine-grained soil $\begin{cases} CH \\ MH \end{cases}$

$$PI - A_{line} = 0.73(124 - 20) = 75.9$$

$PI - \text{soil} (77) > PI - A_{line}$

* Soil (5)

LL over dry < 0.75 [organic ستریکون]

LL air dry

$$\frac{124}{200} = 0.62 < 0.75 \dots OH$$

* Soil (6)

CH-SG

(I) As - fine $\rightarrow CH$

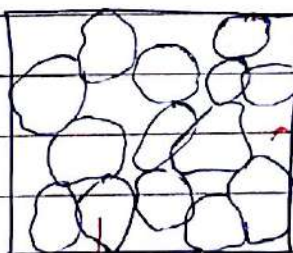
(II) As coarse $\begin{cases} S & \begin{cases} < 5 & \rightarrow SC \\ 5 - 12\% & \\ > 12\% & \end{cases} \end{cases}$

solid part
for soil. $\uparrow$
voids $\downarrow$

"Phase Relationship"

* Volume

* mass



solid particle

$V = \begin{matrix} V_a \\ V_w \\ V_s \end{matrix}$	air	$M_a \approx 0$	M_t
	water	M_w	
	solid particle	M_s	

$$M_t = M_w + M_s$$

- Volume.

* The voids Ratio (e) = $\frac{V_v}{V_s}$ --- percent indicated (دائماً)

ex → Sands range 0.4 to 1.0 V_T
 clay range 0.3 to 1.5 [حجم الفراغات أكبر منه حجم solid 1.5]

* porosity (n) = $\frac{V_v}{V_T} \times 100\%$ النسبة المئوية
 [0 - 1]

- For water $n = 100\%$.

* Degree of saturation (sr) = $\frac{V_w}{V_v} \times 100\%$
 درجة الاستيعاب
 dry → 0 (الفراغات كلها جافة)
 2 → saturated (الفراغات كلها ممتلئة) → wet
 $sr > 1$ → wet (أكثر من ممتلئة)
 100% when $sr = 1$

* air content or Air voids (A) = $\frac{V_a}{V_T} \times 100\%$
 0 when $sr = 1$
 100% when $sr = 0$

If $sr = 0 \rightarrow V_v = V_w + V_a$

- Mass

* $w_c = \frac{M_w}{M_s} \times 100\%$ $w_c > 1 \rightarrow$ clay [نسبة التربة لجرية marine soil]
 mass of water / mass of solids
 في التربة الطينية ولها نسبة عالية

- Mass & volume Relation

(1) bulk density = ρ , ρ_{wet} , ρ_t = $\frac{M_t}{V_T}$ total
 natural, moist

(2) dry density = $\rho_d = \frac{M_s}{V_T}$
 $\gamma_{sub} = \gamma_{sat} - \gamma_w$

[3] solid density = $\rho_s = \frac{M_s}{V_s}$

[4] saturated density = $\rho_{sat} = \frac{M_t}{V_t}$, $sr = 1.0$ $\hat{p}$
 $= \frac{M_s + M_w}{V_t}$

* Specific Gravity = $G_s = \frac{\rho_s}{\rho_w} = \frac{M_s/V_s}{\rho_w} \left\{ \frac{2.6}{2.6} \right\}$ measured value.

* unit weight (γ) = $\rho \times g$ $\Rightarrow \text{kg/m}^3 \rightarrow \text{N/m}^3$ 9-2 *

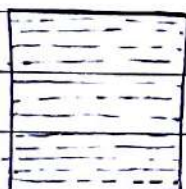
* Relative density (D_r or I_D) :-

In case of sands & gravel, the density index (I_D) or Relative density (D_r)

$D_r(\%) = \frac{e_{max} - e}{e_{max} - e_{min}}$

field measured $e_{max} - e_{min}$ lab measured

هذا sand غليظ الجزيء D_r *
 في الحالة الطبيعية



Volume $\Rightarrow 944 \text{ cm}^3$

$V_t = V_v + V_s$
 $e = \frac{V_v}{V_s} = \frac{V_t - V_s}{V_s}$ $\rightarrow 944 \text{ cm}^3$
 $\rho_w = 1000 \text{ kg/m}^3 = 1 \text{ g/cm}^3$

$G_s = \frac{M_s}{\frac{V_s}{\rho_w}}$

* after vibration. V_t $\rightarrow e_{min}$.

V_s, M $\hat{p}$

$V_t < 944 \text{ cm}^3$

e_{min} = Dense state [compacted state]

e_{max} = loose state

e = Natural state, field state, in-situ state

* Derive Relationship

$$[1] \quad n = \frac{e}{1+e} \rightarrow n = \frac{V_v}{V_t} = \frac{V_v}{V_s + V_v} = \frac{V_v/V_s}{(V_s + V_v)/V_s} = \frac{e}{1+e}$$

$$[2] \quad \rho = \rho_d (1 + w_c) \rightarrow \rho_{bulk} = \frac{M_t}{V_t} = \frac{M_s + M_w}{V_t} = \frac{M_s + M_s w_c}{V_t}$$

$$w_c = \frac{M_w}{M_s} // \frac{M_s (1 + w_c)}{V_t} = \rho_d (1 + w_c)$$

$$[3] \quad G_s w_c = s_r e$$

$$[4] \quad \rho_d = \frac{G_s}{1+e} \rho_w \text{ water}$$

$$[5] \quad \rho_{sat} = \frac{G_s + e}{1+e} \rho_w$$

$$[6] \quad \text{air content} = A = n(1 - s_r)$$

Ex

$$M_t = 2.290 \text{ kg}, \quad V_t = 1.15 \times 10^{-3} \text{ m}^3$$

$$M_s = 2.035 \text{ kg}, \quad G_s = 2.68 \text{ measured.}$$

$$[1] \quad \rho = \frac{M_t}{V_t} = \frac{2.29}{1.15 \times 10^{-3}} = 1990 \text{ kg/m}^3$$

$$[2] \quad \gamma = \rho g = \frac{1990 \times 9.806}{1000} = 19.5 \text{ kN/m}^3$$

$$[3] \quad \text{water content} = \frac{M_w}{M_s} \times 100\% = \frac{M_t - M_s}{M_s} \times 100\% = \frac{2.29 - 2.035}{2.035} \times 100\%$$

$$w_c = 12.5\%$$

$$[4] \quad e = \frac{V_v}{V_s} = \frac{V_t - V_s}{V_s} = \frac{1.15 \times 10^{-3} - 7.59 \times 10^{-4}}{7.59 \times 10^{-4}} = 0.52$$

$$G_s = \frac{M_s / V_s}{\rho_w} = \frac{2.035 / 7.59 \times 10^{-4}}{1000} = 2.68$$

$$[5] \quad n = \frac{V_v}{V_t} = \frac{1.15 \times 10^{-3} - 7.59 \times 10^{-4}}{1.15 \times 10^{-3}} \times 100\% = 34\%$$

$$[6] \quad S_r = \frac{V_w}{V_v} \times 100\% = \frac{V_w}{1.15 \times 10^{-3} - 7.59 \times 10^{-4}} \times 100 = 65.2\%$$

$$\rho_w = \frac{M_w}{V_w} \rightarrow 1000 = \frac{2.29 - 2.035}{V_w} \rightarrow V_w = 2.55 \times 10^{-4} \text{ m}^3$$

$$[7] \quad A = \frac{V_a}{V_t} = \frac{1.15 \times 10^{-3} - 7.59 \times 10^{-4} - 2.55 \times 10^{-4}}{1.15 \times 10^{-3}} \times 100\% = 11.83\%$$

$$V_v = V_w + V_a = V_t - V_s$$

$$[8] \quad \rho_{sat} = \frac{M_t}{V_t} = \frac{M_s + M_w}{V_t} \quad \text{at } S_r = 1 = \frac{2.035 + 0.391}{1.15 \times 10^{-3} \text{ m}^3} = 2109.6 \text{ kg/m}^3$$

$$S_r = \frac{V_w}{V_v} \rightarrow V_w = V_v$$

$$V_w = [1.15 \times 10^{-3} - 7.59 \times 10^{-4}] = 3.91 \times 10^{-4}$$

$$M_w = V_w \times \rho_w = 3.91 \times 10^{-4} \times 1000 = 0.391 \text{ kg}$$

$$\rho_w = \frac{M_w}{V_w}$$

$$[9] \quad w_c = \frac{M_w}{M_s} \quad \text{at } S_r = 1 = \frac{0.391}{2.035} = 0.192 = 19.2\%$$

at standard

saturated density

ex 2

$$= 1.76 \text{ g/cm}^3$$

$$= 2.7 \text{ g/cm}^3$$

$$\rho = 1.76 \text{ Mg/m}^3, \rho_s = 2.7 \text{ Mg/m}^3, w_c = 10\%$$

① dry density ρ_d

$$\rho_t = \rho_d (1 + w_c) \Rightarrow \rho_d = \frac{1.76}{1 + 0.1} = 1.600 \text{ g/cm}^3$$

-- assume $V_s = 1 \text{ cm}^3$

$$\rho_s = \frac{M_s}{V_s} = 2.7 \Rightarrow M_s = 2.7 \text{ g}$$

$$w_c = \frac{M_w}{M_s} = 0.1 \Rightarrow M_w = 0.27 \text{ g}$$

$$M_t = 2.7 + 0.27 = 2.97$$

$$\rho = \frac{M_t}{V_t} = \frac{2.97}{1} = 1.76$$

$$G_s = \frac{\rho_s}{\rho_w} = \frac{2.7}{1} = 2.7 \text{ g/cm}^3$$

$$V_v = 1.6875 - 1 = 0.6875$$

$$\rho_d = \frac{M_s}{V_t} = \frac{2.7}{1.6875} = 1.6 \text{ g/cm}^3$$

② void ratio (e)

$$\rho_d = \frac{G_s}{1+e} \rho_w = \frac{V_v}{V_s} = \frac{0.6875}{1} = 0.6875$$

③ porosity (n)

$$n = \frac{e}{1+e} = \frac{V_v}{V_t} = \frac{0.6875}{1.6875} \times 100\% = 40.7\%$$

[4] Degree of saturation S_r

$$G_s w = S_r e, \quad \frac{V_w}{V_v} = \frac{0.27}{0.6875} \times 100\% = 39.36\%$$

[5] Air content

$$A = n(1 - S_r) = \frac{V_a}{V_t} = \frac{0.6875 - 0.27}{1.6875} \times 100\% = 24.7\%$$

$$[6] \quad \rho_{sat} = \frac{G_s + e}{1+e} \rho_w = \frac{M_t}{V_t} = \frac{M_s + M_w}{V_t} = \frac{2.7 + 0.6875}{1.6875} = 2.007 \text{ g/cm}^3$$

*14

Compaction

* Many types of earth construction such as dams, retaining walls, highway, air port, require man-placed soil "fill" to compact soil that is to place it in a dense state. The dense state is achieved through reduction of the air voids in soil with little or no reduction in the water content.

$$\rho = \frac{M}{V} \leftarrow \text{كثافة م} \leftarrow \text{حجمه}$$

$$\rho_d = \frac{M_s}{V_s + V_a}$$

مادني التربة (التي تاتي به الكثافة بالاسمي والاسمي).

* objective :- compaction الأهداف

- 1- Decrease permeability * تقليل النفاذية
- 2- Decrease future settlement (الهبوط) * زيادة صلابة الأساس للتربة
- 3- Increase shear strength.

* General compaction methods

vibrating
 كيف يعمل air voids.
 اهتزاز

- coarse-grained soil

- Fine-grained soil

- lab * vibrating hammer

• Falling weight & hammer

- Field ① Hand-operated vibration places.

• k-needing compactors

• static loading & press

② Motorized vibratory rollers.

① Hand-operated tampers.

② Sheepfoot rollers. *مطاطية*

③ Rubber-tired equipment. "vibration"

③ Rubber-tired rollers

(knaling)

* Laboratory compaction :-

لإيجاد مقدار الماء المناسب لدمج التربة

purpose

Field to soil & find out as we shall have level

① To determine the proper amount of mixing water to be use in Field

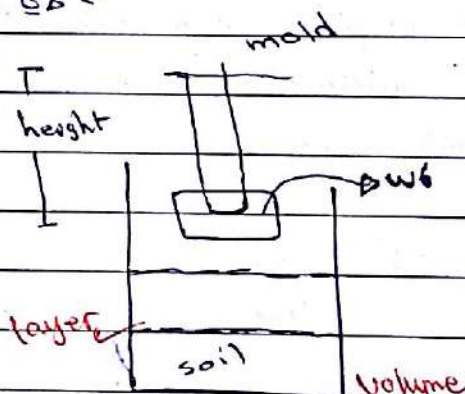
② " " " resulting degree of denseness

مقدار الماء المناسب

المعيار - Standard proctor

- Modified proctor ⇒ ASTM - 698

	<u>Standard proctor</u>	<u>Modified proctor</u>
height	12" = 30cm	18" = 45cm
wt. of hammer	5.5 lb = 2.5 kg	10 lb = 4.5 kg



- No of layer 3 layer

5 layer

$$E = \frac{M}{V}$$

- No of blows per layer 25 / layer

25 / layer

Volume of mold $\frac{1}{30} \text{ ft}^3$
944 cm³

$\frac{1}{30} \text{ ft}^3$

→ energy (جول)
كجم

الطاقة الناتجة من المطرقة

الطاقة الناتجة من المطرقة

16-2-2016

الأسبوع 8

دنيا المطرقة

الارتفاع
من الجفاف

O.M.C modified < O.M.C standard

* $E \uparrow \Rightarrow \gamma_d \max \uparrow + O.M.C \downarrow$

$\rho_{d \max} // > \rho_{d \max} //$

سر = 1 يعني ان السعة Comp 100% لا يمكن

③ Zero air Voids curve ($sr=100\%$): The curve represents the fully sand saturated condition ($sr=1$) (It can't be reached by compacting) [theoretical curve] compacting

لا يمكن ان يتقارب مع compacting - لا يمكن منحنى الدمار -

$$\rho_d = \frac{G_s}{1+e} \rho_w \Rightarrow \gamma_d = \frac{G_s}{1 + \frac{G_s w}{sr}} \rho_w$$

calculated assumed

$$G_s w = sr e$$

④ Line of optimum: A-line drawn through the peak points of several compaction curves of different compactive efforts for the same soil.

تقريباً يكون هو ذاك Z.A.C

لا يمكن ان يكون γ_d و w_c في نفس الوقت γ_d و w_c في نفس الوقت
Not hammer & Noop (في نفس الوقت) compacted effort
↓ O.M.C & ↑ $\gamma_d \max$

$$\gamma_d = 1.85 \text{ g/cm}^3$$

$$w_c = 17\%$$

$$G_s = 2.7$$

$$\gamma_d = \frac{G_s}{1 + \frac{G_s w_c}{sr}} \Rightarrow sr = 105\%$$

* effect of soil type on compaction:-

The soil that is, Grain-sized distribution, shape of the soil grain, G_s , plasticity

size $\uparrow \Rightarrow \gamma_d \max \uparrow + O.M.C \downarrow$

في التربة لما يكون well graded

Relative compaction (R_c)

one of S_d max in soil compaction

$$R_c = \frac{S_d \text{ field}}{S_d \text{ max}} \times 100\%$$

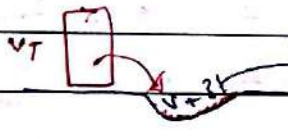
$$R_c \geq 90\%$$

$$S_d = \frac{M_s}{V_T} = \frac{M_s}{V_s + V_a + V_w}$$

حجم

$$w_c \text{ field} = O.M.C. \pm 3\%$$

دنيا لا اقل comp و comp w ماله
س. س. س.

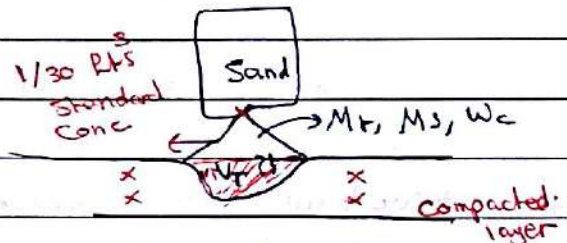


$$M_t, M_s \Rightarrow w_c = \frac{M_t - M_s}{M_s}$$

* Relative Compaction R_c

نسبة الحجم على الحقل (نسبة الحقل على الحقل)

$$R_c = \frac{S_d \text{ field}}{S_d \text{ max}} \times 100\%$$



$$S_{\text{sand}} = \frac{M_s \text{ in hole}}{V_{T2}}$$

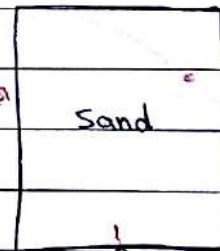
* destructive test

1- sand cone method.

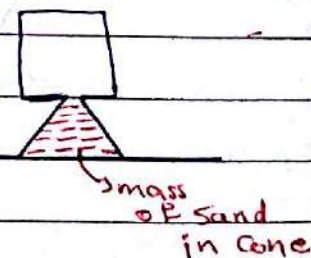
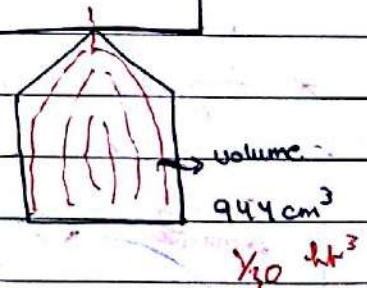
(i) fine-sand pass sieve NO #10
retained on sieve NO #60

(ii) uniform sand (poorly graded) → اوحدة ماله
تأثير على س

(iii) rounded, dry, clean

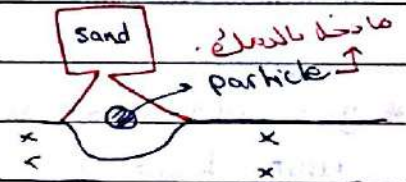


* ماله في vibration ماله في M_s فتراد س



- The measuring error:-

The vibration from nearby working equipment will increase the density of sand in the hole which gives larger hole volume lower field density.



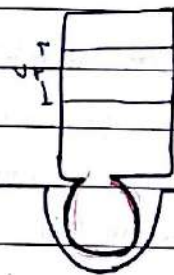
as a mass & as a volume particle

كما ان الجسيم له كتلة وحجم

Particle

Accuracy and precision and it can be affected by the accuracy of the measuring equipment

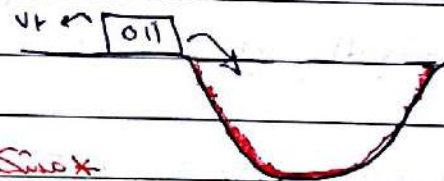
(2) Ballon method.



IF the compacted fill is gravel or contain large gravel particle, Any kind of unevenness in the wall hole cause asingnificant error in the ballon method.

(3) oil method.

[large hole]



استخدام الزيت في الحفرة الكبيرة

الزيت له كثافة معينة وكتلة معينة

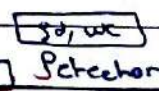
- lost for time & cost

* Non destructive method.

الطريقة غير متلفة

(1) Nuclear density meter

استخدام جهاز الكثافة النووية



compacted layer.

الارتفاع
↑
↓ second

21-2-2016

Water in soil (سواء في الماء في التربة)

* All soils are permeable materials water being free to flow through the interconnected pores between the solid particle.

كل أنواع التربة تكون (permeable) ممتصة للماء

* you must know how much water is flowing through a soil per unit time??

- Design earth Dam.

- Determine the quantity of seepage. (المسألة)

- dewater foundations before & during their construction.

↓ لا نريد أن نغرق الأساسات

* The pressure of the pore water is measured relative to atmospheric pressure & the level at which

the pressure is at atmospheric (i.e zero) is defined as the water table (السطح)

أو الارتفاع هو الارتفاع (water level) (Flow) نسبة الارتفاع في elevation

- below the water table the soil is assumed to be fully saturated

Full saturated (ممتلئة بالماء) في التربة Pressure

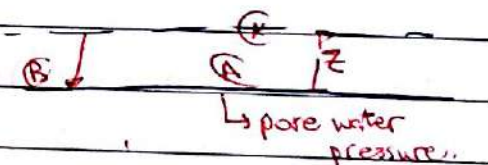
- Below the water table the pore water may be static or seeping through the soil.

static pore water

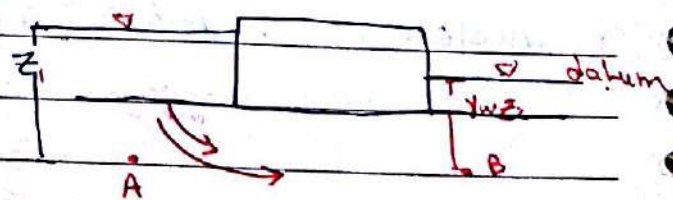
$$\text{pore water pressure} = \gamma_w \times z$$

$$10 \text{ kN/m}^3 \times \text{m} = 10 \text{ N/m}^2$$

lower water table ← reference level



no pressure at the level



* Bernoulli's Theorem :-

Applies to the pore water but seepage velocities in soil are normally so small the velocity head can be neglected.

$$h = \frac{u}{\gamma_w} + z \text{ (elevation)} \Rightarrow \frac{\gamma_w \times z_1}{\gamma_w} - z_2 = z_1 - z_2$$

h : total head, u : pore water pressure

γ_w : unit weight of water 9.806 kN/m^3

z : elevation head above chosen datum

water table

* Darcy's law (1856)

$$v = k i$$

v : Darcy velocity (cm/sec)

k : hydraulic conductivity of soil (cm/sec)

coefficient of permeability

i : hydraulic gradient = $\frac{\Delta h}{L}$

من الارتفاع
فرق مستوى المياه
المباينة العمودية
يسمى

سرعة المياه في مسام
التراب
seepage velocity

$$= \frac{v}{n} \rightarrow \text{porosity} = \frac{e}{1+e} \text{ or } \frac{V_v}{V_t}$$

المرارة نقل

تلك الزاوية

المياه القوية على اقمار السوائل

$$Q = VA = k i A = \frac{Q}{t}$$

cm^3/sec

connected voids

coef

permeability ← coarse-grain

بالرغم من انه يتم النقل على اقل

Discharge velocity

$k \rightarrow$ coarse-grained soil $\times 10^{-4} \text{ m/sec}$ [Fine grain < coarse grain]

$\rightarrow$ Fine grained soil $\times 10^{-9} \text{ m/sec}$

$K \rightarrow$ measured value.

* Measuring k in laboratory :-

lab @
Predictable k with lab @
empirical @

1- coeff of permeability for coarse grained soil $\rightarrow$ constant-head test

2- " " " " Fine-grained soil $\rightarrow$ Falling-head test.

- constant head

$$\frac{V}{T} = k \times \frac{\Delta h}{L} \times A$$

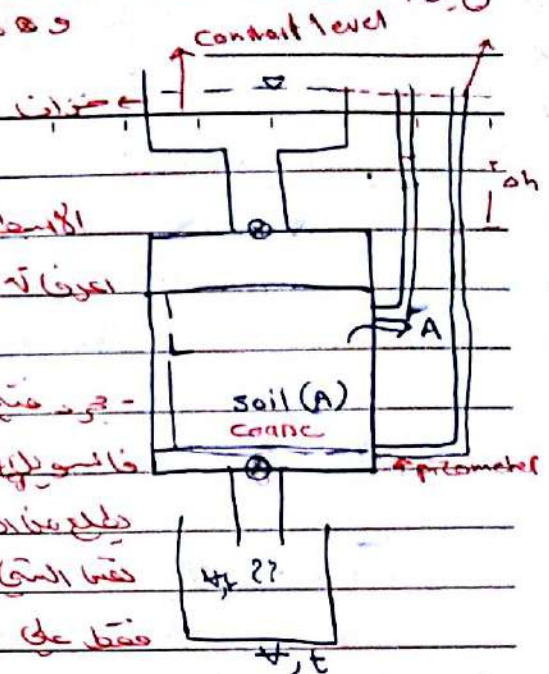
$$\Rightarrow k_{20} = \frac{4 \times L}{\text{ohm} \times A}$$

الامتداد A في $\mathbb{R}^n$ يعرف بأنه $\mathbb{R}^n$ نفسه.

3- جرد مع Therapin روح منزل الماء
فالسو Full saturation روح

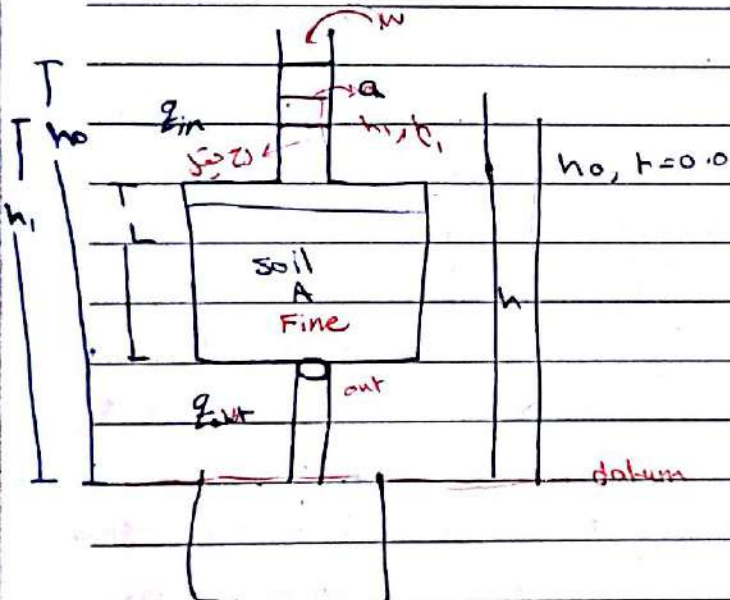
two level status movement & lost step as in 'gaining' status
[oh]. (Gaining)

volume / unit time of water / unit time go. of the bar



- Falling head test

لا Fine يكون head pressure معاك



K خلية الـ soil ملح تنغير ملام
اللون في طبق زجاجي

$$I_{in} = I_{out}$$

$$\frac{q \times dh}{dt} = k_i A = k \frac{h}{L} \times A$$

$$\int_{h_1}^{h_0} a \frac{dh}{h} = \int_{t=0}^{t_1} \frac{k}{L} \times A \, dt \Rightarrow k_{20} = \frac{qL}{A \times t} \ln \frac{h_0}{h_1}$$

$$2 \ln \frac{h_2}{h_1} = \frac{K}{L} * A * t$$

- Hazen ^{shaded} ~~equation~~ $K = 10^{-2} (D_{10})^2$ (m/sec) $\odot$ empirical equation

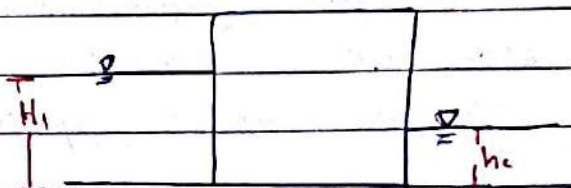
For fine-uniform sand (sp)

Sieve

#60

Sieve

#10 is fine sand



18 q $\rightarrow$ loss of water $\rightarrow$ head pressure $\rightarrow$ z_{in} z_{out}

"seepage theory"

The general case of seepage in two dimension will now be considered "Laplace's equation of Continuity"

* Assumption (Laplace's)

homogeneous

$k_x = k_z$

1) Soil is homogeneous & isotropic $\rightarrow$ (deformation)

2) Generalized Darcy law y -direction deformation $\rightarrow$ x -direction

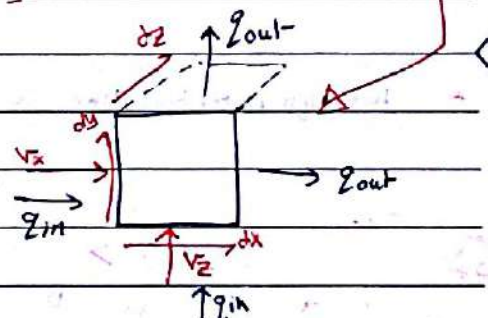
- $z_{in} = z_{out}$ (Full saturated)
saturation

$v_x A =$

$$v_x = k_x i_x = k \frac{dh}{dx}$$

$$v_z = k_z i_z = k \frac{dh}{dz}$$

seepage velocity v_s (m/sec) $\rightarrow$ (m/sec) $\rightarrow$ (m/sec)



$$v_x dy dz + v_z dx dy = \left(v_x + \frac{dv_x}{dx} dx \right) dy dz + \left(v_z + \frac{dv_z}{dz} dz \right) dx dy$$

$$\Rightarrow \frac{\partial v_x}{\partial x} + \frac{\partial v_z}{\partial z} = 0.0$$

"Flow net" graphical

Laplace's law -

A flow net is representation of a flow field & comprises a family of flow lines & equipotential lines.

Flow lines:- or streamlines

represent flow paths of particles of water

lower level (1) upper level (2) water particle starts at (1) & ends at (2)

Flow line is an def line

* Fluid is easily flow.

Flow channel: The area between two flow lines
(low or def line)

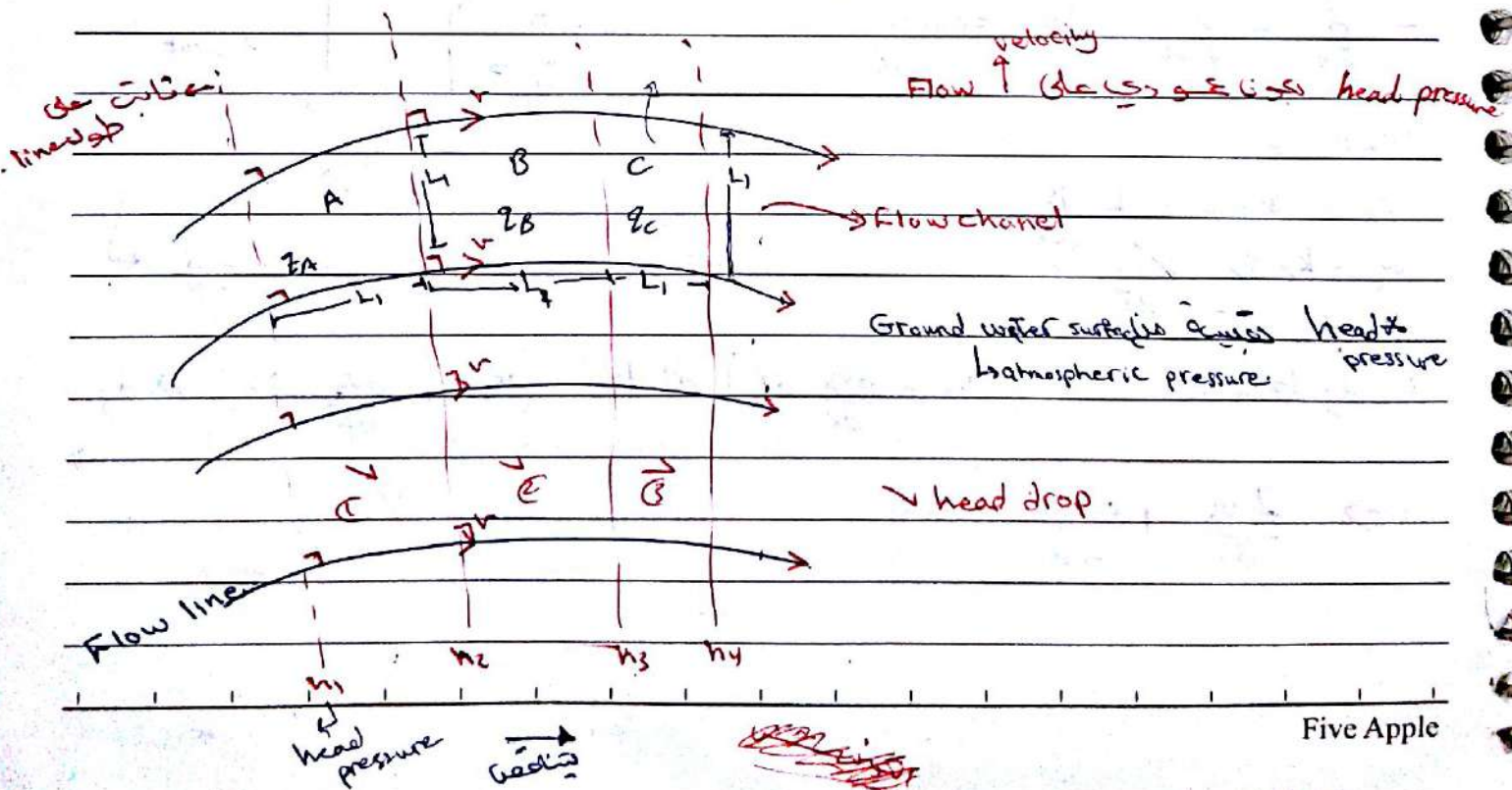
- Q The rate of flow in a flow channel is const but the velocity isn't const. (cross section Area $\propto x$)

- Flow cannot occur across flow lines.

النسبة $\propto$ flow line

خطوط التوازن

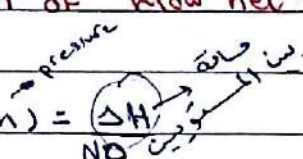
* An equipotential line is a line joining points with the same head



* Interpretation of Flow net

$$\gamma' = \gamma_{sat} - \gamma_w$$

1) Head loss (Δh) = $\frac{\Delta H}{ND}$ = head pressure



2) Flow rate (q) = $k \frac{\Delta H}{ND} \times NP$

$$\Delta q = k \frac{\Delta H}{ND}$$

↳ Flow through each flow channel

3) Hydraulic gradient (i) = $\frac{\Delta h}{L} = \frac{\Delta H}{ND \times L}$

4) Max (i) = $i_{max} = \frac{\Delta h}{L_{min}} = \frac{\Delta H}{ND \times L_{min}}$

5) critical hydraulic gradient (i_{cr}) = $\frac{\gamma'}{\gamma_w} = \frac{\gamma_{sat} - \gamma_w}{\gamma_w} = \frac{G_s - 1}{1 + e}$

that brings a soil that mass to static liquefaction hearing boiling & piping

$$i > i_{cr} \rightarrow \text{piping}$$

6) F.O.S. = $\frac{i_{max}}{i_{cr}} > 1.0$ $i < i_{cr} \rightarrow \text{No piping}$ $\rightarrow \text{safe}$

7) pressure head h_{pj} = $\Delta H - ND_j \times \frac{\Delta H}{ND}$

8) pore water pressure $u_j = [h_{pj} - h_z] \times \gamma_w$
 $\rightarrow$ from reference lower level of water

9) Uplift Force (p_w) = $\sum_{j=1}^n u_j \times \Delta x_j$

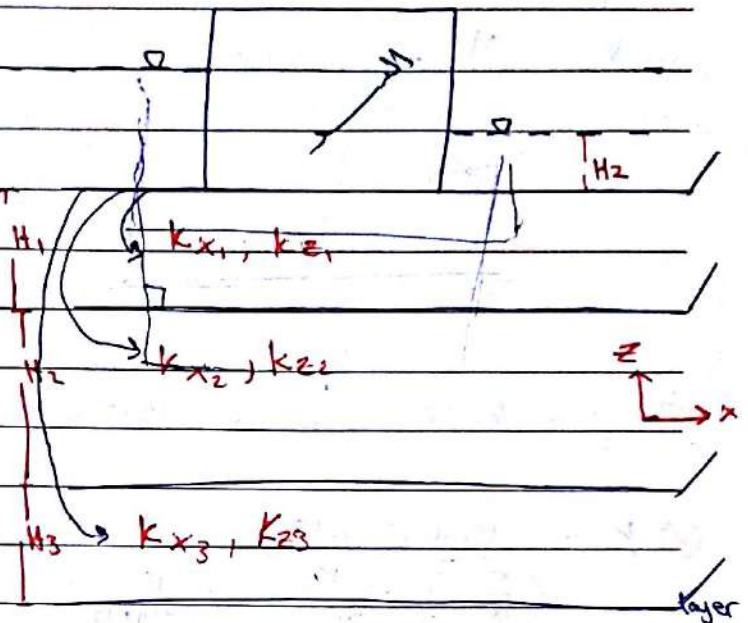
10) $p_w = \frac{\Delta x}{3} \left[u_1 + u_n + 2 \sum_{odd} u_i + 4 \sum_{even} u_i \right] \leq \text{Wt. of dam}$

* Anisotropic Soil Condition $k_x \neq k_z$ تربة متباينة الخواص (فانوع الاتجاهات)

$$-k_{avg} = \sqrt{k_x \times k_z}$$

$$- \bar{k}_x = \frac{H_1 k_{x1} + H_2 k_{x2} + H_3 k_{x3} + \dots}{H_1 + H_2 + H_3}$$

$$- \bar{k}_z = \frac{H_1 + H_2 + H_3 + \dots}{\left(\frac{H_1}{k_{z1}}\right) + \left(\frac{H_2}{k_{z2}}\right) + \left(\frac{H_3}{k_{z3}}\right)}$$



$$\bar{k}_x = \frac{2 \times 1 \times 10^{-4} + 3 \times 3.2 \times 10^{-2} + 4 \times 4.1 \times 10^{-5}}{2 + 3 + 4}$$

$$\bar{k}_x = 7.07 \times 10^{-4} \text{ cm/sec.}$$

$$\bar{k}_z = \frac{2 + 3 + 4}{\left(\frac{2}{1 \times 10^{-4}}\right) + \left(\frac{3}{3.2 \times 10^{-2}}\right) + \left(\frac{4}{4.1 \times 10^{-5}}\right)}$$

$$\bar{k}_z = 0.764 \times 10^{-4} \text{ cm/sec}$$

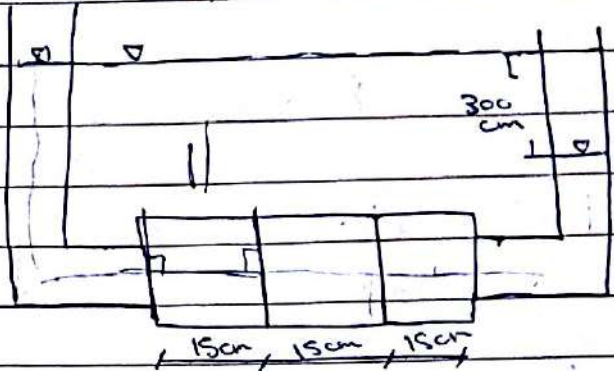
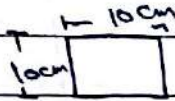
$$k_{avg} = \sqrt{7.07 \times 10^{-4} + 0.764 \times 10^{-4}} = 9.0497 \times 10^{-4} \text{ cm/sec}$$

ex

$$K_A = 1 \times 10^{-2} \text{ cm/sec}$$

$$K_B = 3 \times 10^{-3} \text{ cm/sec}$$

$$K_C = 4.9 \times 10^{-4} \text{ cm/sec}$$



$$① q = k i A = 0.001213 \times \frac{300}{45} \times (10 \times 10) = 0.0809 \text{ cm}^3/\text{sec}$$

$$② k = \frac{15 + 15 + 15}{\left(\frac{15}{1 \times 10^{-2}}\right) + \left(\frac{15}{3 \times 10^{-3}}\right) + \left(\frac{15}{4.9 \times 10^{-4}}\right)} = 0.001213 \text{ cm/sec}$$

کنیفرق (کناد الدف)

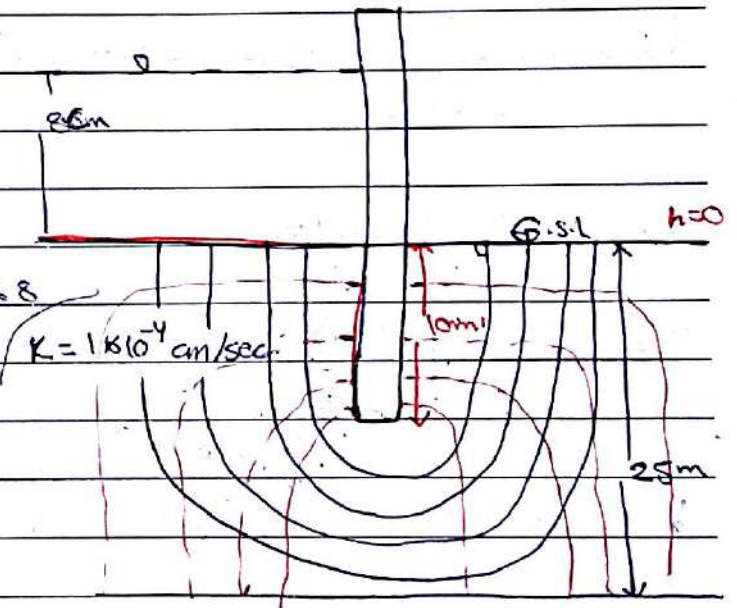
ex

$$N_F = 8$$

$$N_D = 18$$

$$q = \frac{K \Delta H \times N_F}{N_D} = 1 \times 10^{-4} \times \frac{80 \text{ cm} \times 8}{18}$$

$$q = 3.5 \times 10^{-4} \text{ cm}^3/\text{sec}/\text{m}$$



28/2/201

2021

ex 1

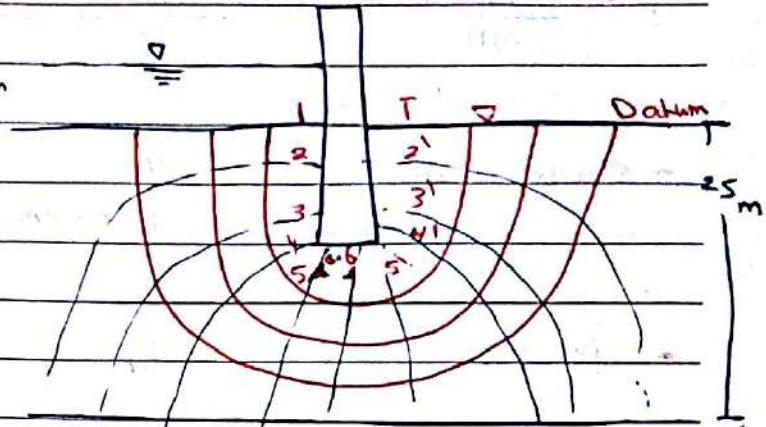
$$N_f = 8$$

$$ND = 18$$

$$i_{max} = \frac{\Delta h}{L_{min}} = \frac{\Delta H}{ND L_{min}} = \frac{8}{18 \times 0.6}$$

$$= 0.74 < I_{cr}$$

تدفق موزع
في كل نقطة
من النقاط



$$P_w = \frac{\Delta x}{3} \left[u_1 + u_n + 2 \sum_{odd} + 4 \sum_{even} \right]$$

$$u = [h_p - h_e] \delta w$$

$$h_p = \Delta H - ND \times \frac{\Delta H}{ND} - h_e$$

$$u_1 = [8 - 0 - 0] \delta w = 8 \times 9.806 = 78.9$$

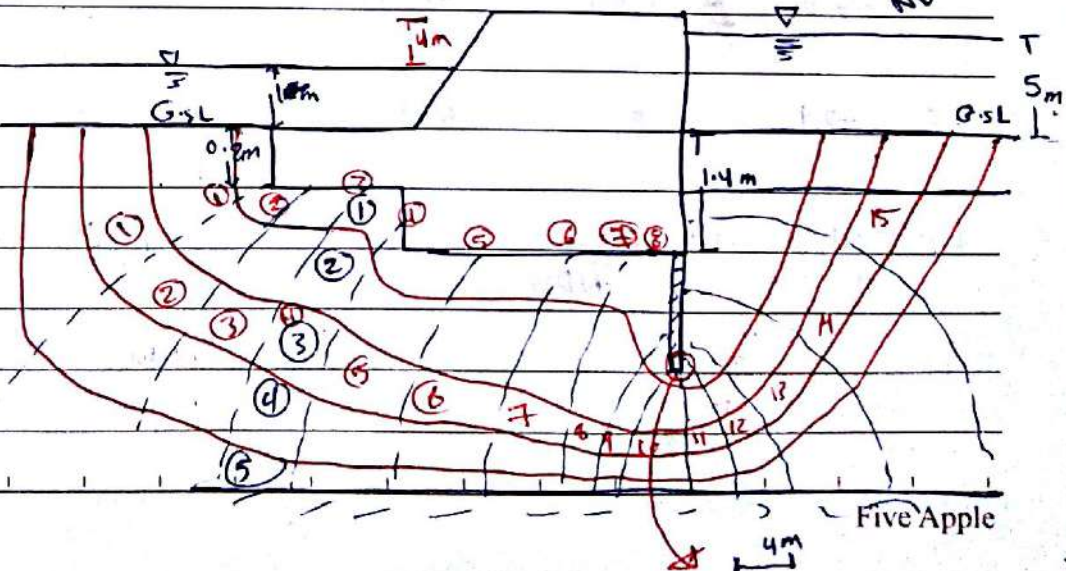
$$u_2 = \left[8 - \frac{1 \times 8}{18} - 2 \right] \times 9.806 = 93.6$$

$$P_w = \frac{10}{3} [78.4 + \dots]$$

$$u_1 = \left[8 - \frac{18 \times 8}{18} - 0 \right] \delta w = 0$$

ex 2

$$k = 2.5 \times 10^{-5} \text{ m/sec}$$



Shift pipe

NRES
ND = 15

Five Apple

$$q = K \frac{\Delta H}{ND} \cdot NF$$

$$- q = \frac{K \Delta H}{ND} \times NF = \frac{2.5 \times 10^{-5} \times 4 \times 5 \times 1}{15} = 3.1 \times 10^{-5} \text{ m}^3/\text{sec}/\text{m}$$

$$- i_{\max} = \frac{\Delta H}{ND \times L_{\min}} = \frac{4}{15 \times 0.4 \text{ m}} =$$

$$- PW = PI \quad h_p$$

Point h₂ h_p (h_p - h₂) 8w

1 -1.8 0.27 20.3

2 -1.8 0.53 22.9 * PW = $\frac{20}{3} [20.3 + 43.1 + 2$

3 -1.8 0.8 25.5 (25.5 + 36.6 + 41.9) + 4(22.9 + 31.1 + 39.2)]

4 ^{بالنسبة}
-2.1 1.07 31.1

$$PW = 4292.3 \text{ N}$$

5 -2.4 1.33 36.6

6 -2.4 1.6 39.2

7 -2.4 1.87 41.9

8 -2.4 2 43.1

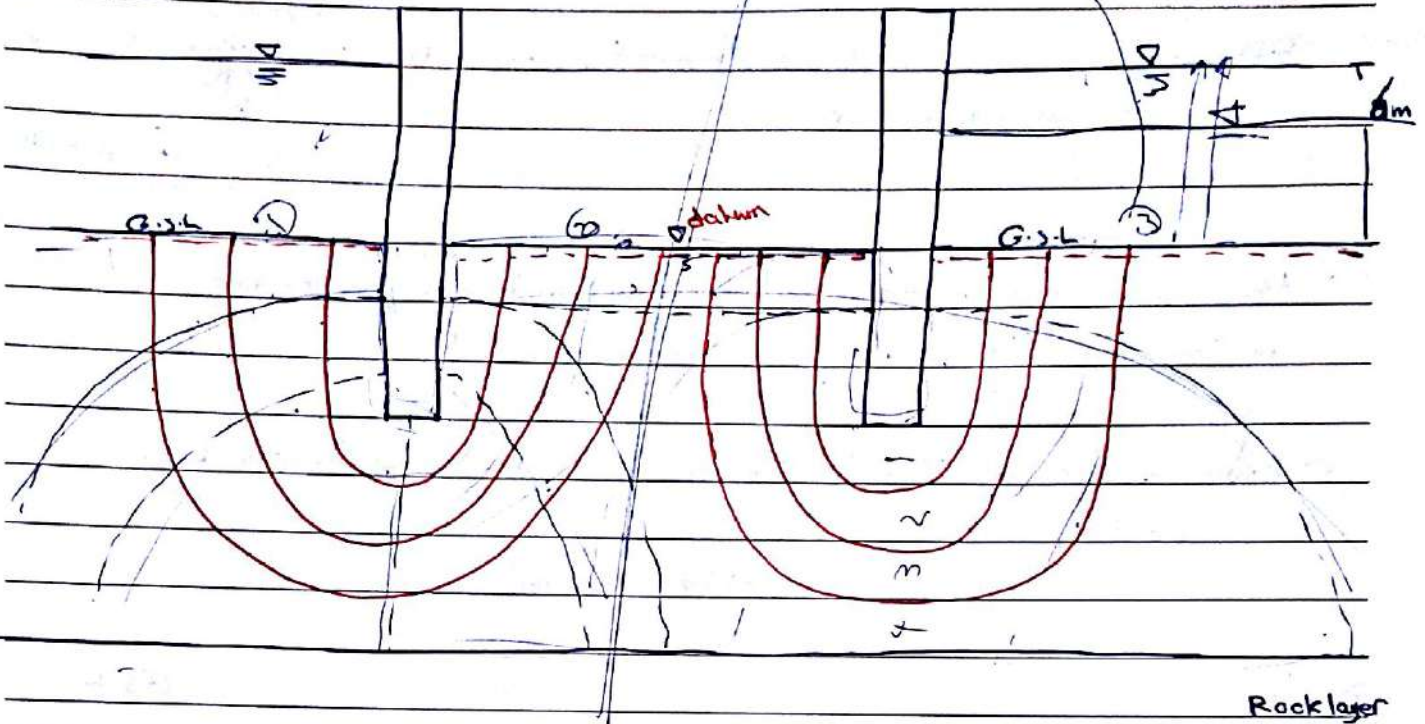
$$h_p = \Delta H - ND_j \times \frac{\Delta H^4}{ND^{15}}$$

15
14
13
12
11
10
9
8
7.5

$$Q = Q_1 + Q_2$$

$$Q = 2 \times k_i$$

ex 3



No Flowline = 0

$$Q = Q_1 + Q_2$$

$$= \left(k \frac{\Delta H^2}{ND} \times NF \right)_1 + \left(k \frac{\Delta H^2}{ND} \times NF \right)_2$$

head pressure: G.S.L. at top of well, the level of G.S.L.

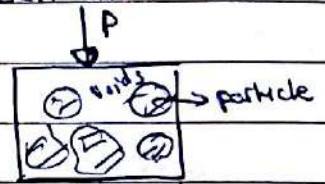
21:45 - 3:45
 (F) C.M. 10
 C.19
 (1) C.9 10
 C.12

1/3/2016

$$U = U_s + U_e$$

$\downarrow$ $\downarrow$
 $\gamma \times h$ $\downarrow$ excess
 load of water

① **Effective stress:** the force transmitted through the soil skeleton from particle to particle



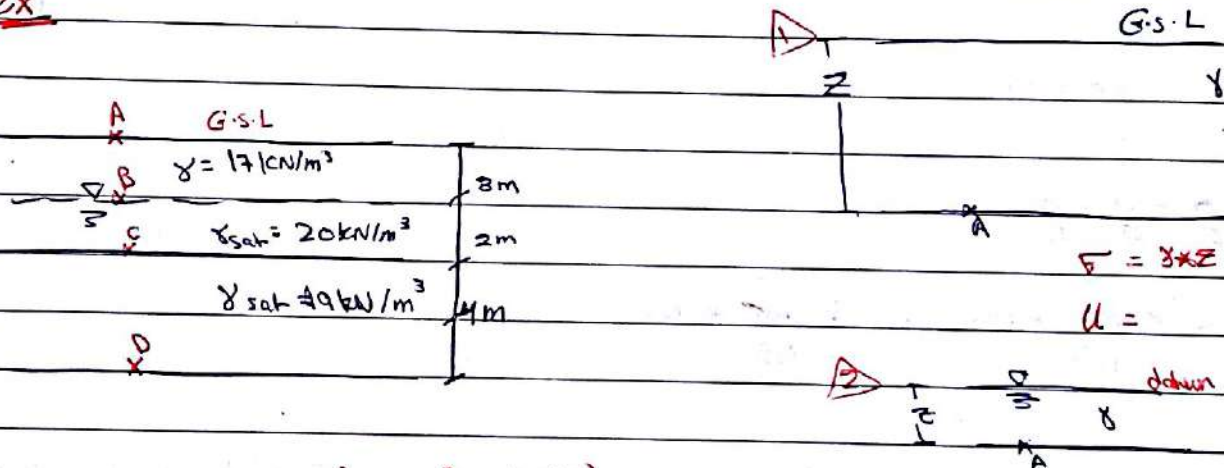
② the total normal stress σ :- Force per unit area transmitted in a normal direction across the plane (σ)

③ pore water press (u) : The pressure of the water filling the void space

$$\bar{\sigma} = \sigma - u$$

$\rightarrow \gamma \times z = \text{KN/m}^2$

Ex



Point	level	$\sigma \text{ (KN/m}^2\text{)}$	$u \text{ (KN/m}^2\text{)}$	$\bar{\sigma} \text{ (KN/m}^2\text{)}$
A	0.0	0.0	0.0	0.0
B	3m	51	0	51
C	5m	91	19.6	71.4
D	9m	17*3 + 20*2 + 4*19 = 167	9.806*6 = 58.8	108.2

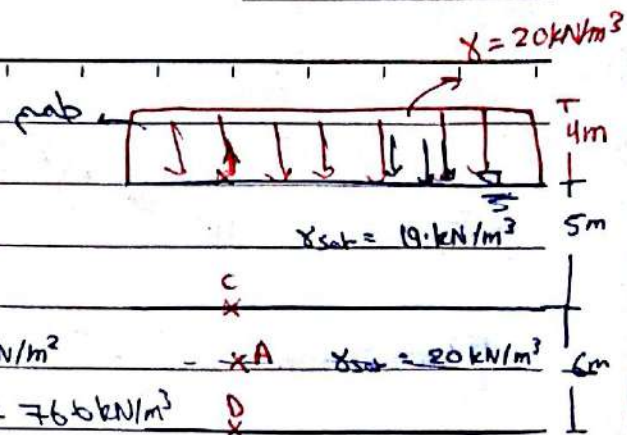
$$u = [h_p - h_z] \gamma_w$$

$= z \gamma_w$

$$\bar{\sigma} = [\gamma_{sat} z - \gamma_w z]$$

$$\bar{\sigma} = [\gamma_{st} - \gamma_w] z$$

lower level (is anisotropic) pore water pressure



$$\bar{\sigma}_A \text{ before Backfill} = \sigma_t - u = [$$

$$= [19 \times 5 + \frac{6}{2} \times 20] - [8 \times 9.806] = 76.6 \text{ kN/m}^2$$

$$= [(20 - 9.806) \times 3 + 5 \times (19 - 9.806)] = 76.6 \text{ kN/m}^2$$

$$\bar{\sigma}_A \text{ after Backfill} = [20 \times 4 + 19 \times 5 + 3 \times 20] - [8 \times 9.806] = 156.6 \text{ kN/m}^2$$

$$= \bar{\sigma}_{\text{before}} + 4 \times 20 = 156.6 \text{ kN/m}^2$$

ex

مؤثرات

$$N_F = 8$$

$$N_D = 18$$

$$G_s = 2.7$$

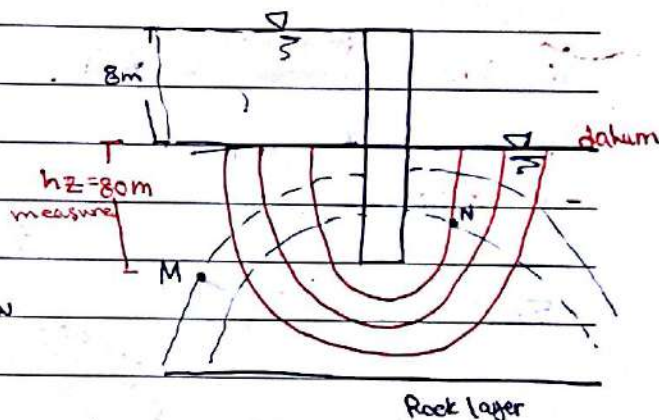
$$e = 0.8$$

- Find effective stress at point M, N

$$\bar{\sigma}_M = \sigma_t - u$$

$$= [8 \times 9.806 + 8 \times \gamma_{sat}] - [h_p - h_z] \gamma_w$$

$$= 78.34 \text{ kN/m}^2$$



$$u = [h_p - h_z] \gamma_w = [\Delta H + N_D \frac{\Delta H}{N_D} - h_z] \gamma_w$$

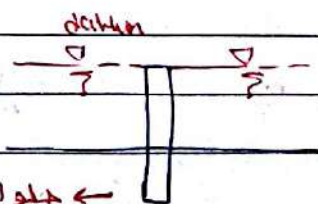
$$= [8 - \frac{1 \times 8}{18} - 8] \times 9.806$$

$$= \frac{2.7 + 0.8}{1.8} \times 9.806$$

$$\gamma_{sat} = 19.06$$

$$\bar{\sigma}_N = [\gamma_{sat} \times 7] - [8 - \frac{16 \times 8}{18} - 7] \times 9.806$$

$$= 8 \times 9.806$$



← حوض المياه

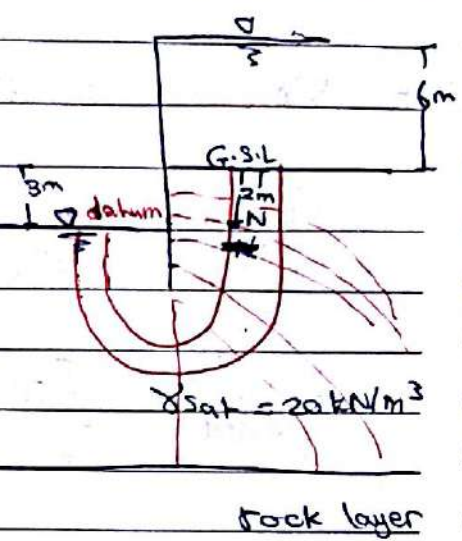
ex

$$\bar{\sigma}_N = \sigma_t - U \rightarrow \Delta H - \frac{NDKSH}{ND} - h_z) * \gamma_w$$

$$= [6 \times 9.806 + 2 \times 20] - \left[9 - \frac{2 \times 9}{6} - 1 \right] \times 9.806$$

$$\bar{\sigma}_N = 49.806$$

lower water table



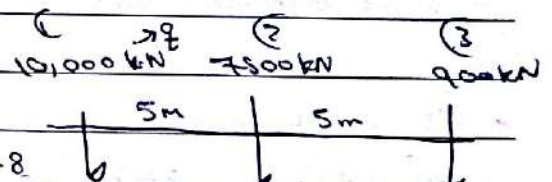
rock layer

3/3/2016

* stress increment from elastic solution.

ex

- point (1)



$$\sigma_z = \frac{Q}{z^2} \times I_p$$

radius of influence horizontal

$$I_p \rightarrow \text{table 5.1}, P\left(\frac{r}{z}\right) \Rightarrow P\left(\frac{5}{4}\right) = 1.25$$

$$\Rightarrow I_p = 0.478$$

$$\sigma_z = \sigma_{z1} + \sigma_{z2} + \sigma_{z3} = \frac{10000 \times 0.478}{(4)^2} + \frac{7500 \times 0.478}{(4)^2} + \frac{900 \times 0.478}{(4)^2}$$

$$\sigma_z = 277 \text{ kN/m}^2$$

Area of Stress Distribution :-

line load. σ_z (stress) -

$$\sigma_z = \frac{2Q}{\pi} \left[\frac{z^3}{(x^2 + z^2)^2} \right]$$

load per meter

$$\sigma_z = \frac{2 \times 10000}{\pi} \left[\frac{4^3}{(5^2 + 4^2)^2} \right] + \frac{2 \times 7500}{\pi} \left[\frac{4^3}{(0^2 + 4^2)^2} \right] + \frac{2 \times 900}{\pi} \left[\frac{4^3}{(5^2 + 4^2)^2} \right]$$

① & ② case line

③ strip area carrying ~~uniform~~ pressure.

line (خط)
قائمة
الاستنادي

lower level is pore water pressure

فوكنج من بداية

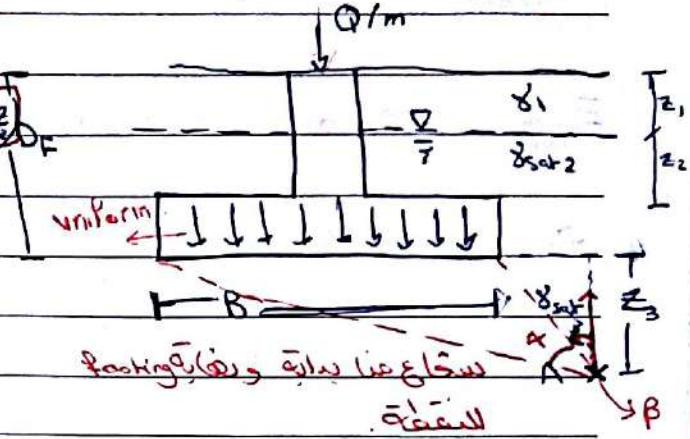
G.S. is Fk

$$\bar{F}_A = \bar{F}_t - u =$$

$$[\gamma_1 z_1 + \gamma_{sat} z_2 + \gamma_{sk} z_3] - [9.806 \times (z_3 + \frac{z_2}{2})]$$

$$\bar{F}_2 = \frac{q}{\pi} [\alpha + \sin \alpha \cos(\alpha + 2\theta)]$$

rad $180 \rightarrow \pi$
? $\rightarrow$? $\times \frac{\pi}{160}$



$$q = \frac{Q}{B \times l} = \text{Applied pressure}$$

From vertical direction

toward end array counter

clockwise.

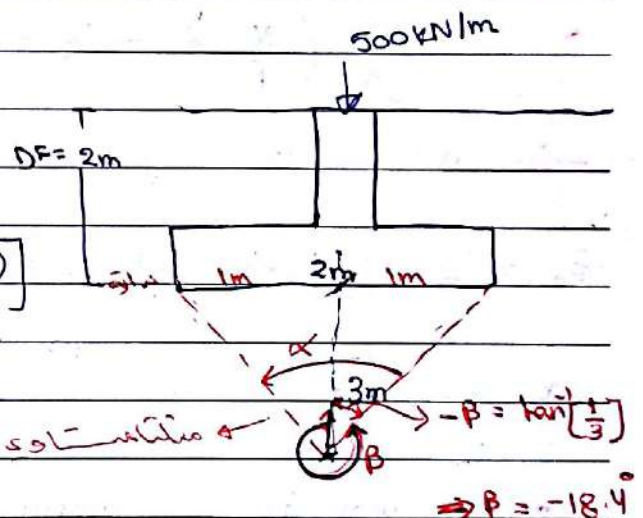
strip:- القائمة من البداية وعاينها بزاوية α
concentrated load (نقطة)
نقطة من 1. أصفاف (الزاوية)

ex

$$36.8 \rightarrow \frac{\pi 36.8}{180} = 0.64$$

$$\bar{F}_2 = \frac{500}{\frac{2 \times 1}{\pi}} [0.64 + \sin 36.8 \cos(36.8 - 2 \times 18.4)]$$

$$\bar{F}_2 = 99.0 \text{ kN/m}^2$$



$$\alpha = |2\theta| = 2 \times 18.4^\circ = 36.8$$

من بداية فوكنج (array) من بداية فوكنج إلى نقطة A وسطح آخر من
فوكنج إلى نقطة A. (A) نقطة إلى ح اصلي هذه stress فتكون الزاوية
 α بالزاوية +ve vertical direction is β لو α end array

3/3/2016

ex $G_{zA} = \frac{250}{\pi} [0.59 + \sin(33.7) \cos(33.7 + 0)]$

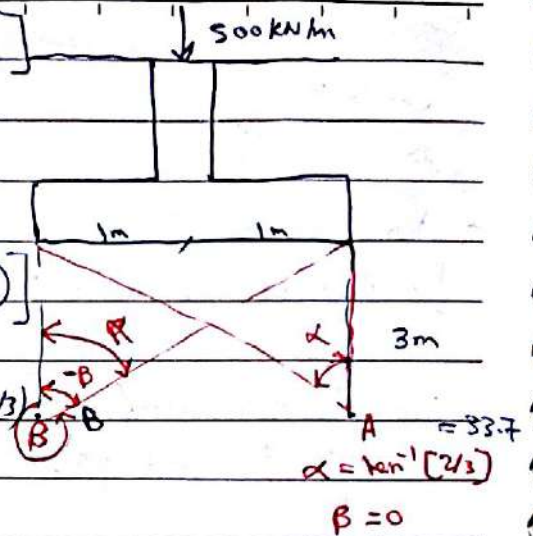
$G_{zA} = 83.68 \text{ kN/m}^2$

$G_{zB} = \frac{250}{\pi} [0.59 + \sin(33.7) \cos(33.7 - 2 \times 33.7)]$

$G_{zB} = 83.68 \text{ kN/m}^2$

$\alpha = 18^\circ$

$\beta = \tan^{-1}(2/3)$



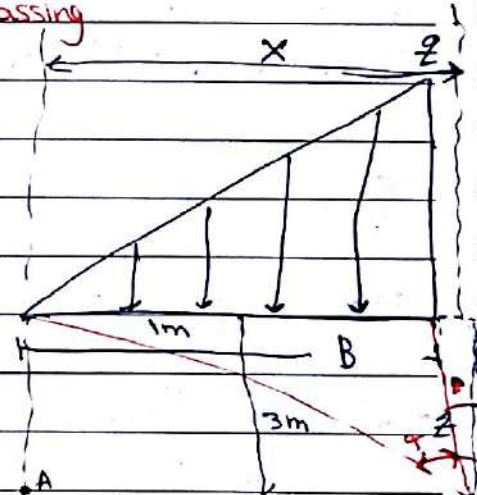
Strip area carrying linearly increasing pressure.

الوحدة المساحة التي تحمل ضغطاً متزايداً خطياً

* $\bar{F}_z = \frac{q}{\pi} \left(\frac{X}{B} \alpha - \frac{1}{2} \sin 2\beta \right)$

$q = 250$

$\bar{F}_z = \frac{250}{\pi} \left[\frac{1}{2} \times 0.64 - \frac{1}{2} \sin(2 \times 18.9) \right]$



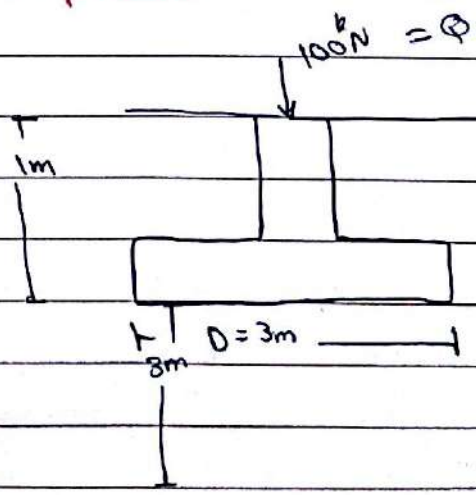
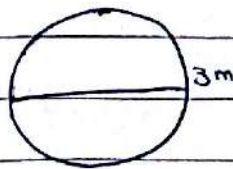
الوحدة المساحة التي تحمل ضغطاً متزايداً خطياً

* circular footing carrying uniform pressure.

$F_z = q \times I_c$

$I_c \rightarrow$ Figure 5.9, $\frac{\pi D^2}{4}$

$q = \frac{Q}{\pi/4 D^2}$



8/3/2016

$$F_z = \frac{100}{\pi(3)^2} \times 0.26 = 3.68$$

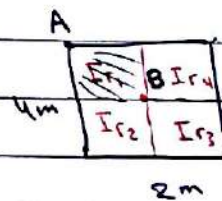
(Area of corner ↑, distance ↓) ←

* Rectangular area carrying uniform pressure:

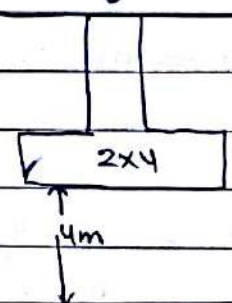
$$F_z = q \times I_r$$

$$q = \frac{\text{load}}{\text{Area}} = \frac{Q}{A}$$

$$F_{zA} = q \times I_r = \left[\frac{100}{4 \times 2} \right] I_r$$



$$= \frac{100 \times 0.12}{4 \times 2}$$



$$I_r \rightarrow m = \frac{2}{4} = 0.5$$

$$n = \frac{4}{4} = 1 \Rightarrow \text{Fig 5.1} = 0.12$$

Profile.

$$m = \frac{B}{Z} \rightarrow \text{width (smallest dimension)}$$

$$n = \frac{L}{Z} \rightarrow \text{length (large dimension)}$$

$$F_{zB} = \left[\frac{100}{4 \times 2} \right] (I_{r1} + I_{r2} + I_{r3} + I_{r4}) = 4 \times 0.06 \times \left[\frac{100}{2 \times 4} \right]$$

$$I_{r1} \Rightarrow m = \frac{1}{4} = 0.25$$

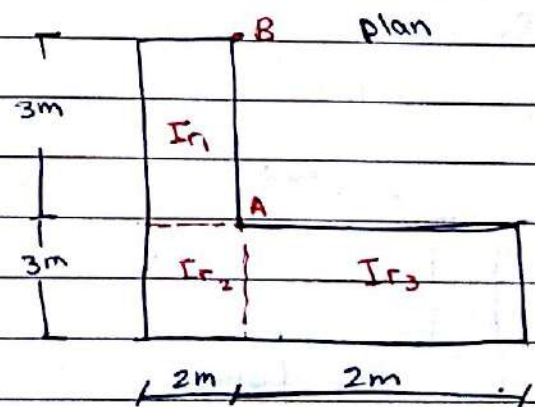
$$n = \frac{2}{4} = 0.5 \Rightarrow 0.06$$

ex2

$$F_{zA} = \frac{100}{(3 \times 4) + (3 \times 2)} \times [I_{r1} + I_{r2} + I_{r3}]$$

$$I_{r1} \Rightarrow m = \frac{2}{4}$$

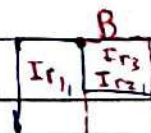
$$n = \frac{3}{4}$$



$$I_{r2} \Rightarrow m = \frac{2}{4}$$

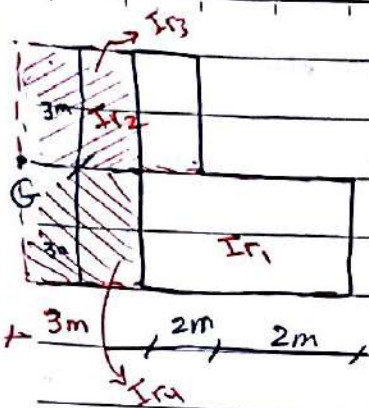
$$n = \frac{3}{4}$$

$$I_{r3} \Rightarrow m = \frac{2}{4}$$



Five Apple

Calculate the stress



$$I_1 \rightarrow m = \frac{7}{4} \\ n = \frac{3}{4}$$

$$I_2 \Rightarrow m = \frac{5}{4} \\ n = \frac{3}{4}$$

$$F_{zg} = \frac{100}{3 \times 4 + 3 \times 2} \times [I_1 + I_2 - I_3 - I_4]$$

$$I_3 \Rightarrow m = \frac{3}{4} \Rightarrow 1 \\ n = \frac{3}{4} \Rightarrow 1$$

$$I_4 \Rightarrow m = \frac{3}{3} \Rightarrow 1 \\ n = \frac{3}{4} \Rightarrow 1$$

* Approximate method 2:1 method.

Just for :-

- ① strip footing, Rectangular footing
- ② under center of footings

Footings width $\leftarrow Z$

$$F_z = q \times A = \frac{q \times [B \times 1]}{[B + Z]} \text{ ----- strip}$$

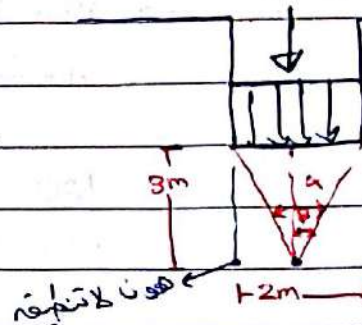
$$G_z = q \times A = \frac{q \times [B \times L]}{[B + Z][L + Z]}$$

ex

$$Q = 500 \text{ kN/m}$$

$$\bar{G}_z = 99 \text{ kN/m}^3 \rightarrow \text{more accurate}$$

$\bar{G}_z$ Approximate method

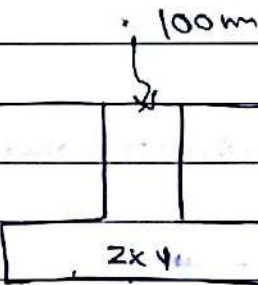


$$\frac{[500/2 \times 1] \times [2 \times 1]}{[2 + 3]} = \frac{500}{5} = 100 \text{ kN}$$

ex

$$\bar{G}_z = \frac{100}{[2 \times 4]} \times 4 \times 0.06 = 3 \text{ kN/m}^2$$

$$\bar{G}_z = \frac{100}{2 \times 4} \times [2 \times 4] = \frac{100}{6 \times 8} = 2.1 \text{ kN/m}^2$$



ground surface
G.S is at 0.6 m
[G.S is at 0.6 m] footing is at 0.6 m
water table is at 4 m

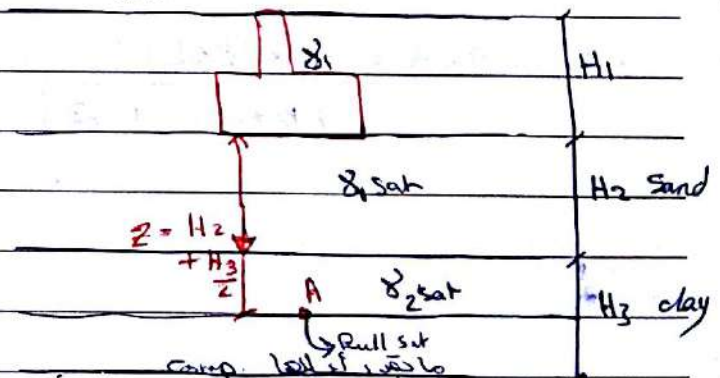
ex

$$\bar{G}_A = G - U$$

$$= [\gamma_1 H_1 + \gamma_{\text{sat}} H_2 + \gamma_{\text{sat}} \frac{H_2}{2}]$$

$$- [\gamma_w \times [H_2 + \frac{H_2}{2}]]$$

$$\bar{G}_z = \gamma \times I_n \rightarrow 4 I_n$$



footing is at 0.6 m

G_z & $\bar{G}$ are at A

ex

Def permeability Sand

$$Sr = \frac{V_w}{V_v}$$

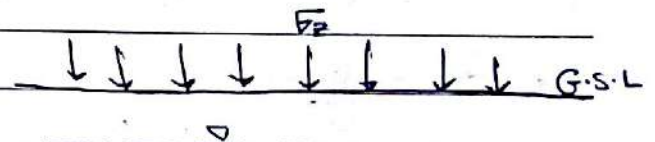
w
Solid

Consolidation Theory

is the gradual reduction in volume of a fully saturated soil of low permeability due to drainage of some of the pore water (fine grained soil)

drainage * water (فقدان الماء) due to low permeability (انخفاض النفاذية)

① at time $t = 0$ (immediately after stress is applied). the excess pore water pressure.



$$\bar{\sigma} = \sigma_z - \Delta u_e \rightarrow \bar{\sigma} = 0$$

drainage (فقدان الماء) due to low permeability (انخفاض النفاذية) - Permeability (نفاذية)

reduction in stress (انخفاض الضغط) due to sand (بسبب الرمل)

② at time t Hence, increase in effective stress at any time t

$$\bar{\sigma} = \sigma_z - \Delta u_e$$

③ theoretical, at time $t = \infty$

$$\bar{\sigma} = \sigma_z, \text{ excess pore } = 0.0$$

soil skeleton (هيكل التربة) stress (ضغط) due to reduction (بسبب التقليل)

settlement (هبوط) due to consolidation (بسبب التماسك)

This gradual increase in the effective stress in the clay layer will cause settlement over a period of time, and is referred to as consolidation.

pressure (ضغط) due to particle (بسبب الجسيمات) - pressure (ضغط) due to stress (بسبب الضغط) - load (حمولة) - excess pore water pressure (ضغط الماء الزائد في المسام)

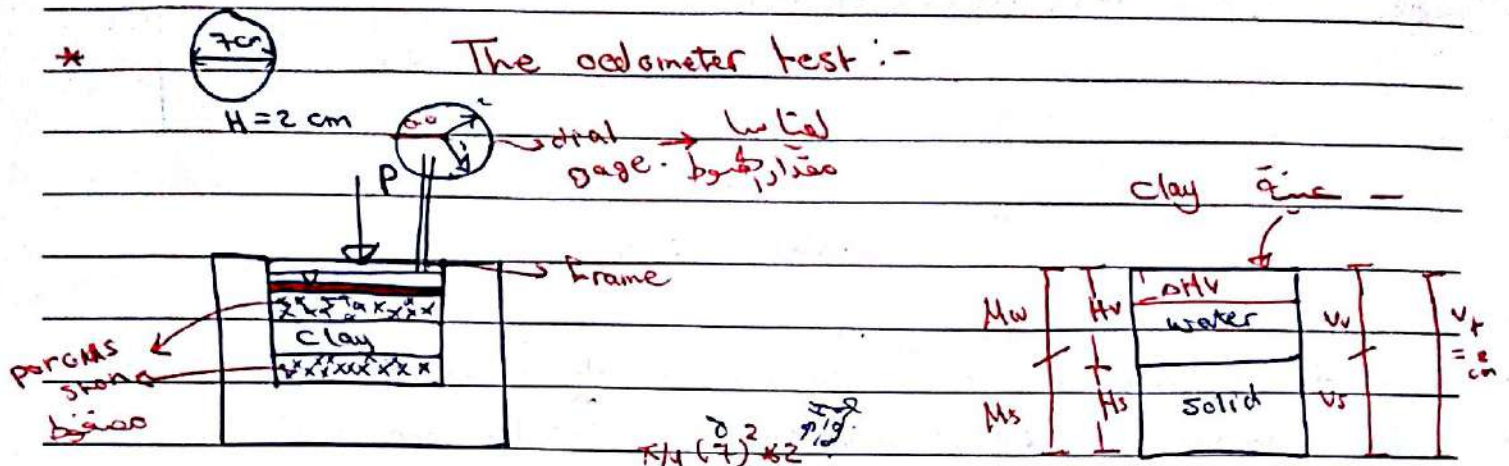
the settlement (الهبوط) due to consolidation (بسبب التماسك) is (هو)

$$\bar{\sigma} = \sigma_z$$

theory → lab → Field.

*

The oedometer test :-



initial load $\rightarrow$ $e_0 = \frac{V_w}{V_s} = \frac{V - V_s}{V_s} = \frac{V_T - V_s}{V_s}$ $e = \frac{V_w}{V_s} \rightarrow \text{const.}$

$G_s = \frac{M_s}{V_s} \rightarrow \text{const.}$

$G_s w = \frac{M_w}{V_s} \rightarrow \text{Full saturated}$

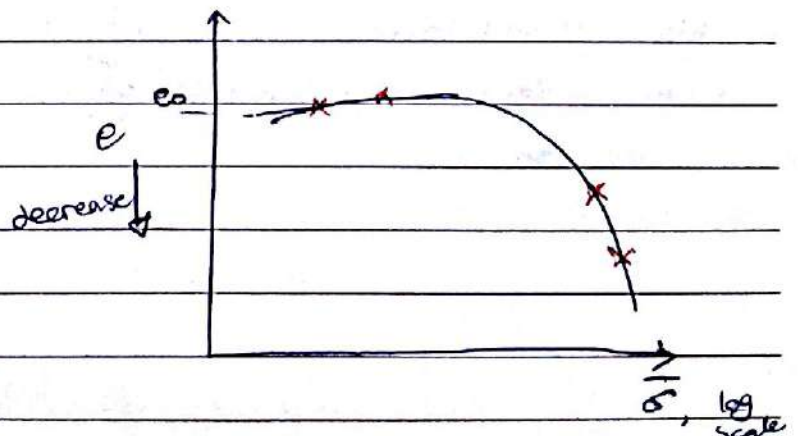
$\bar{\sigma} = \bar{\sigma}_1$ $e = e_0 - \Delta e$

$e_0 - \frac{\Delta V_w}{V_s} = e_0 - \frac{A \times \Delta H_w}{A \times H_s}$ $\rightarrow$ height for solid particle

$e_1 = e_0 - \frac{\Delta H_w}{H_s}$ $\rightarrow$ dial gage.

$\frac{2P_1}{A} = \frac{P_2}{\frac{\pi}{4}(\phi)^2} = \bar{\sigma}_2$ $e_2 = e_0 - \frac{\Delta H_{w2}}{H_s}$

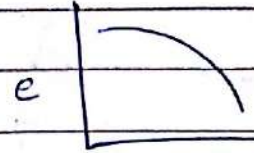
$\frac{P_3}{A} = \frac{2P_2}{A} = \bar{\sigma}_3$ $e_3 = e_0 - \frac{\Delta H_{w3}}{H_s}$



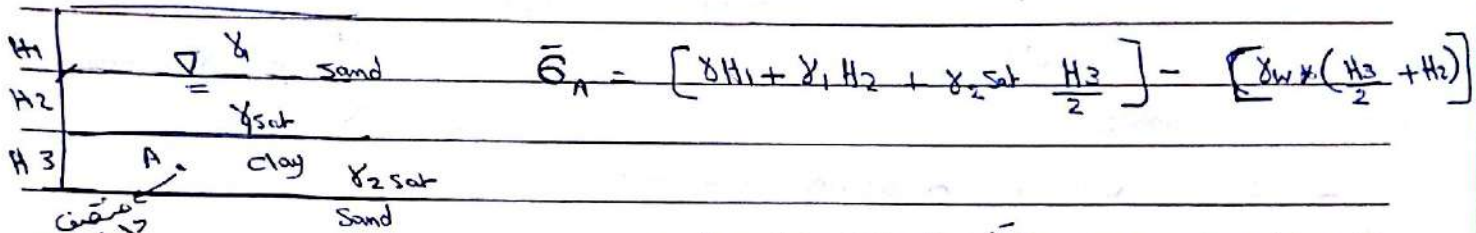
① coefficient of volume compressibility (m_v)

The volume change per unit volume per unit in increase in effective stress (m^2/MN)

$$m_v = \frac{1}{1+e_0} \left[\frac{e_0 - e}{\bar{\sigma}_1 - \bar{\sigma}_0} \right]$$

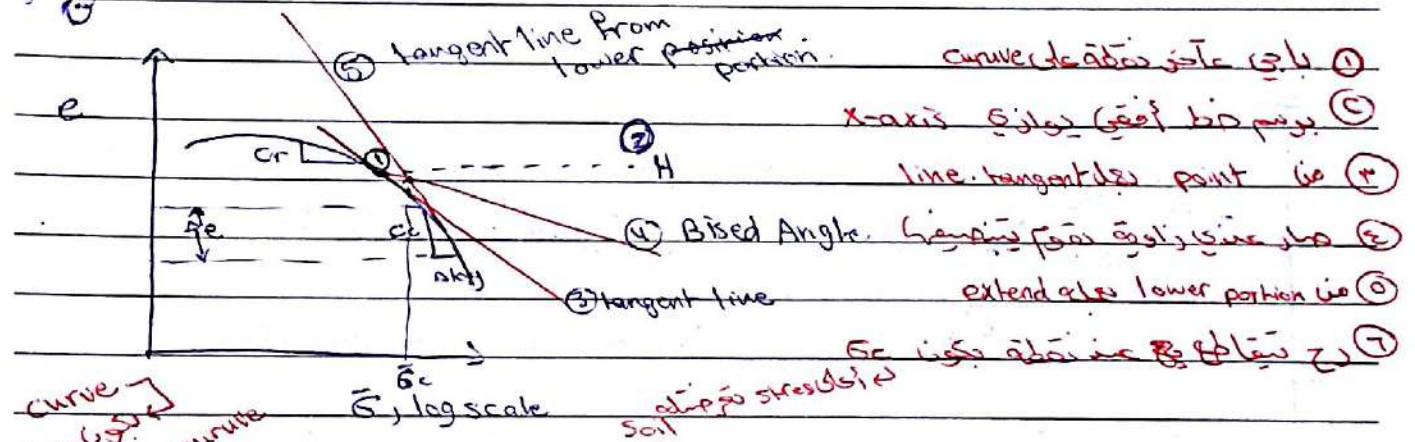


② pre consolidation pressure ($\bar{\sigma}_c$, $\bar{\sigma}_p$) The Maximum pressure acted on the clay layer in Past [From Casagrande method] $\bar{\sigma}$ log scale



$$\bar{\sigma}_c = \left[\gamma H_1 + \gamma_{sat} H_2 + \gamma_{sat} \frac{H_3}{2} \right] - \left[\gamma_w \left(\frac{H_3}{2} + H_2 \right) \right]$$

voids ratio e (y-axis) vs Compressibility x



$\bar{\sigma}_c$ vs $\bar{\sigma}$ log scale

③ over consolidation ratio (OCR)

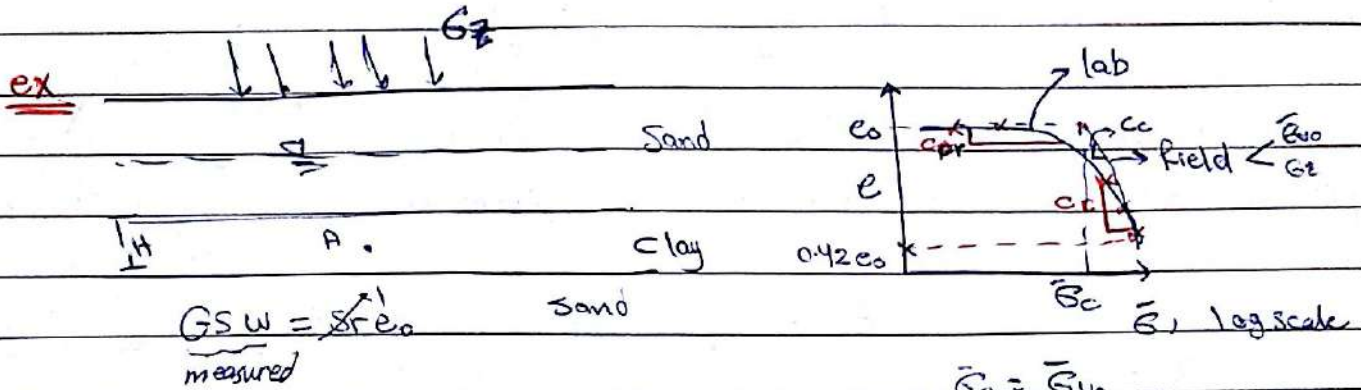
$$OCR = \frac{\bar{\sigma}_c}{\bar{\sigma}_{vo}} \Rightarrow OCR = 1 \Rightarrow \bar{\sigma}_{vo} = \bar{\sigma}_c \text{ Normally consolidation clay (N.C)}$$

$$OCR > 1 \Rightarrow \bar{\sigma}_c > \bar{\sigma}_{vo} \text{ -- over consolidation clay (O.C)}$$

④ compression index $C_c = \left| \frac{\Delta e}{\log \bar{\sigma}_1 / \bar{\sigma}_2} \right|$ * Slope of lower portion

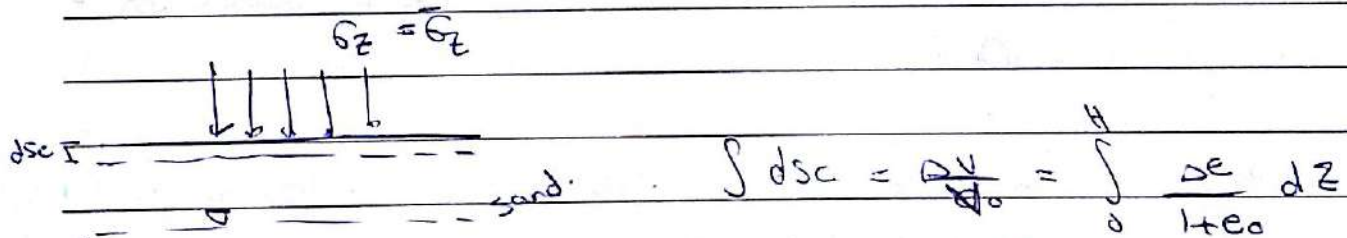
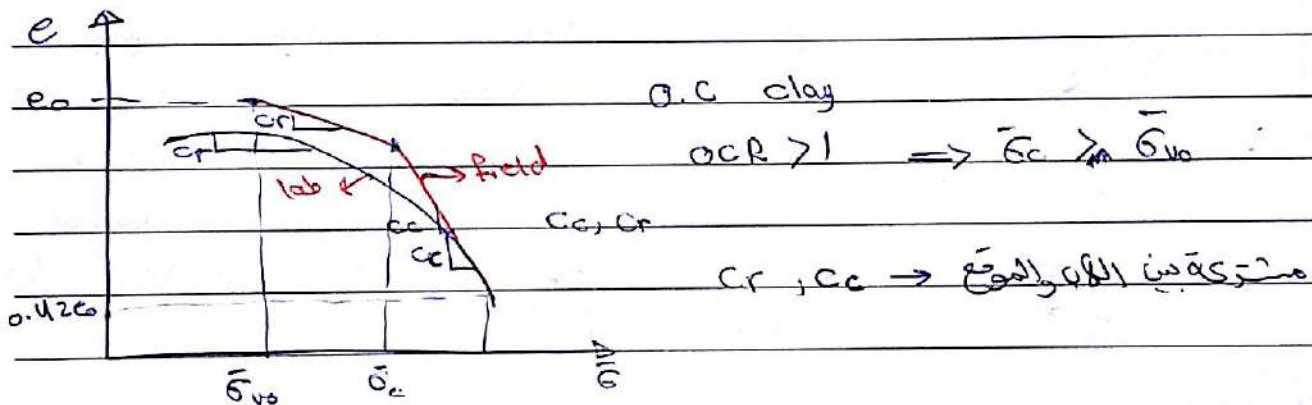
→ slope for upper portion.

⑤ Recomposition index or swelling index $C_{cr} = C_s = \left| \frac{\Delta e}{\log \frac{\bar{\sigma}_z}{\bar{\sigma}_f}} \right|$



- IF soil N.C clay $OCR = 1.0$

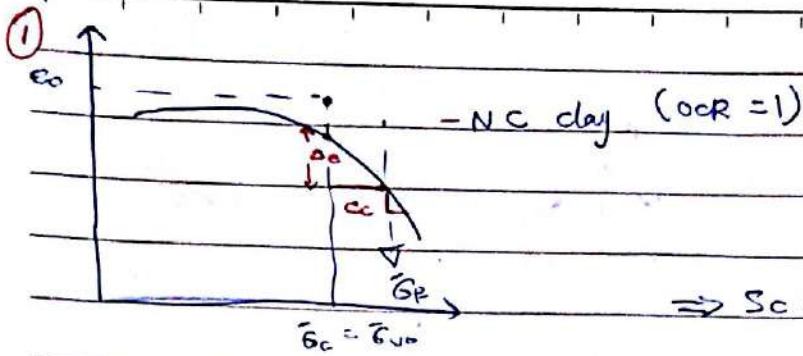
$\bar{\sigma}_{v0}, e_0, C_c$ equally valid for $\bar{\sigma}_{v0} = 1.0$ $\rightarrow \bar{\sigma}_{v0} = 1.0$ $e_0 = 0.35$ $0.42e_0$



$Sc = \frac{\Delta e}{1+e_0} H \rightarrow$ as low clay layer

$\bar{\sigma}_{final} \leftarrow \bar{\sigma}_f = \bar{\sigma}_{v0} + \bar{\sigma}_z$

initial $\bar{\sigma}_{v0}$

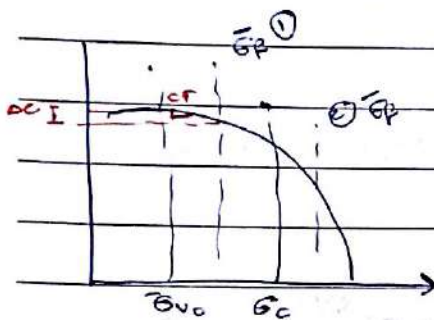


$\frac{C_c}{\bar{\sigma}_{vo} \bar{\sigma}_p}$

$$C_c = \frac{\Delta e}{\log \frac{\bar{\sigma}_p}{\bar{\sigma}_{vo}}}$$

$$\Rightarrow S_c = \frac{C_c H}{1 + e_0} \log \frac{\bar{\sigma}_p}{\bar{\sigma}_{vo}} \quad \dots \text{NC clay}$$

② OCR > 1 over consolidation



$$\bar{\sigma}_p = \bar{\sigma}_{vo} + \bar{\sigma}_2$$

$$C_r = \frac{\Delta e}{\log \frac{\bar{\sigma}_p}{\bar{\sigma}_{vo}}}$$

$$(i) \quad \bar{\sigma}_{vo} < \bar{\sigma}_p < \bar{\sigma}_c$$

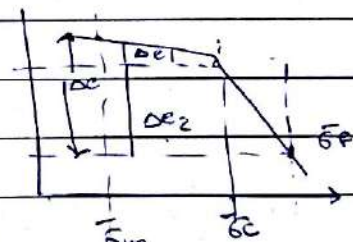
$$S_c = \frac{\Delta e H}{1 + e_0} \log \frac{\bar{\sigma}_p}{\bar{\sigma}_{vo}} \quad \text{clay}$$

$$S_c = \frac{C_r H}{1 + e_0} \log \frac{\bar{\sigma}_p}{\bar{\sigma}_{vo}}$$

$$(ii) \quad \bar{\sigma}_{vo} < \bar{\sigma}_c < \bar{\sigma}_p$$

$$S_c = \frac{\Delta e H}{1 + e_0} = \left[\frac{C_r H}{1 + e_0} \log \frac{\bar{\sigma}_c}{\bar{\sigma}_{vo}} + \frac{C_c H}{1 + e_0} \log \frac{\bar{\sigma}_p}{\bar{\sigma}_c} \right]$$

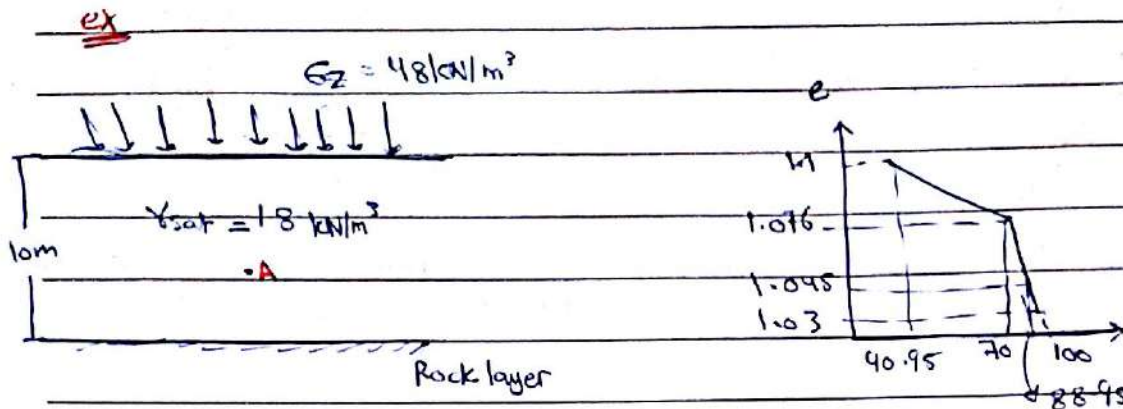
$$+ \frac{C_c H}{1 + e_0} \log \frac{\bar{\sigma}_p}{\bar{\sigma}_c}$$



$$\Delta e = \Delta e_1 + \Delta e_2$$

في حالة N.C يكون العيوب أكبر. (~~العيوب~~)

مادام في زيادة بال Stress مادام في تقرب Volume و Stress زاد Stress زاد
التقرب في Ooids ratio يعني ratio Ooids قو.

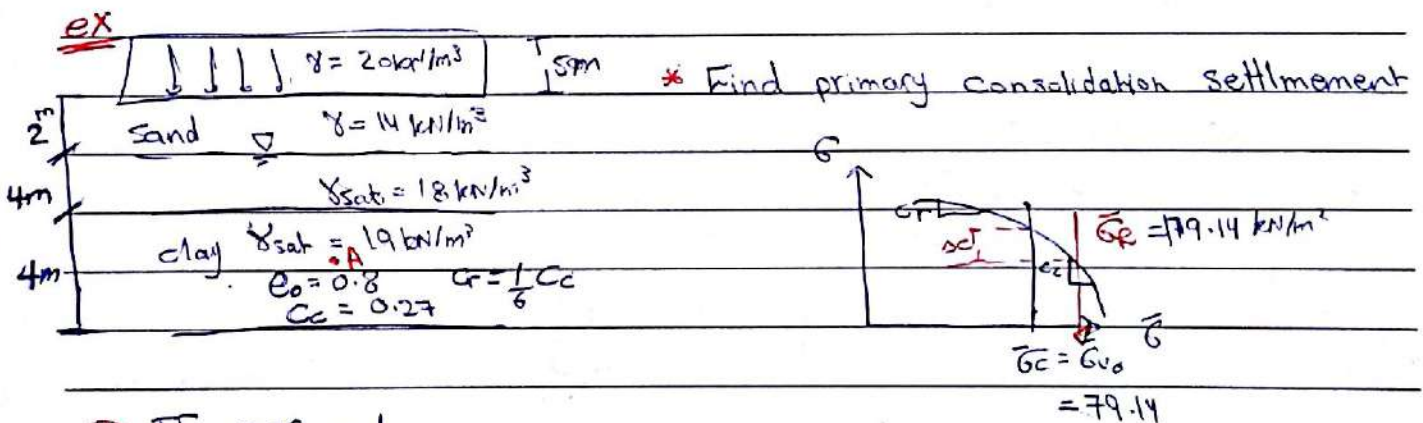


- Find primary consolidation Settlement.

$$S_c = \frac{\Delta e}{1+e_0} H = \frac{1.1 - 1.045}{1+1.1} \times 10 \text{ m} = 0.262 \text{ m} = 262 \text{ mm}$$

$$\bar{\sigma}_{v0} = \sigma_t - u = \frac{10}{2} [18] - \frac{10}{2} [9.806] = 40.95 \text{ kPa} \rightarrow e_0 = 1.10$$

$$\bar{\sigma}_p = \bar{\sigma}_{v0} + \bar{\sigma}_z = 40.95 + 48 = 88.95 \Rightarrow e = 1.045$$



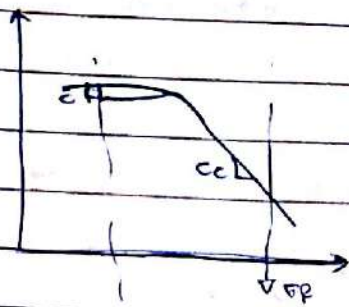
① IF OCR = 1

$$\bar{\sigma}_{v0} = \sigma_t - u = [14 \times 2 + 18 \times 4 + \frac{4}{2} \times 19] - [6 \times 9.806] = 79.14 \text{ kN/m}^2$$

$$\bar{\sigma}_p = \bar{\sigma}_{v0} + \bar{\sigma}_z = 79.14 + 5 \times 20 = 179.14 \text{ kN/m}^2$$

$$\therefore S_c = \frac{\Delta e}{1+e_0} H = \frac{0.27 \times 4}{1+0.8} \log \frac{179.14}{79.14} = 0.213 \text{ m} = 213 \text{ mm}$$

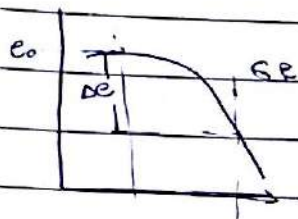
② IF preconsolidation pressure = $190 \text{ kN/m}^2 = \bar{\sigma}_c$



$$S_c = \frac{\Delta e}{1+e_0} H = \frac{(1/6) \times 0.27 \times 4}{1+0.8} \log \frac{179.14}{79.14}$$

$$S_c = 0.036 \text{ m} = 36 \text{ mm}$$

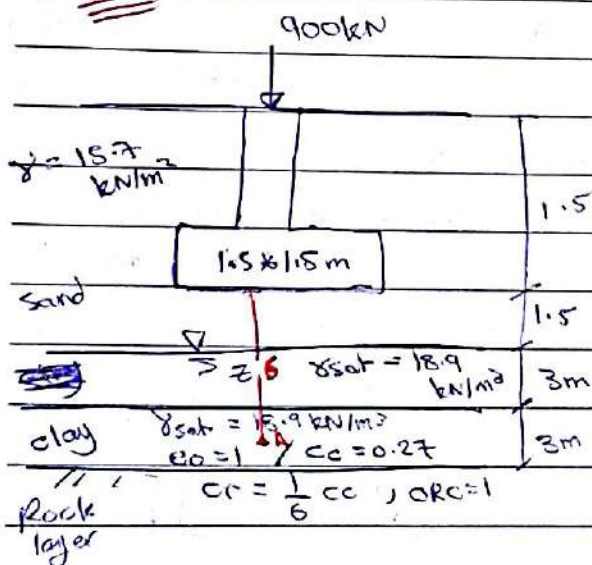
③ IF preconsolidation pressure = 170 kN/m^2



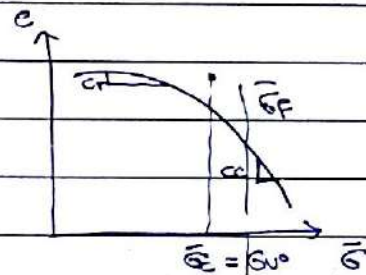
$$S_c = \frac{\Delta e}{1+e_0} H = \frac{4 \times (1/6) \times 0.27}{1+0.8} \log \frac{170}{79.14}$$

$$+ \frac{4.0 \times 0.27}{1+0.8} \log \frac{179.14}{170} = 0.0486 = 48.6 \text{ mm}$$

④ ex



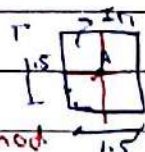
$$S_c = \frac{\Delta e}{1+e_0} H$$



avg $\bar{\sigma}_{c, \text{initial}}$

$$\bar{\sigma}_{v0} = \bar{\sigma}_t - u = [15.7 \times 3 + 3 \times 18.9 + 1.5 \times 18.9] - [4.5 \times 9.806] = 88.01 \text{ kN/m}^2$$

$$\bar{\sigma}_p = \bar{\sigma}_{v0} + \bar{\sigma}_z = 88.01 + 12 = 100.01 \quad \bar{\sigma}_z = q \times I_r$$



$$\bar{\sigma}_z = q \times 4 I_r = \frac{900}{1.5 \times 1.5} \times 4 \times$$

Approximate method

$$\bar{\sigma}_z = \frac{900}{(1.5+6)(1.5+6)}$$

$$I_r \Rightarrow m = \frac{B}{z} = \frac{0.75}{6} \Rightarrow I_r = 0.0075$$

$$n = \frac{L}{z} = \frac{0.75}{6}$$

Figure 5.1

Five Apple

$$G_P = \bar{G}_{V0} + \bar{G}_Z$$

$$\vec{r} \times \vec{I} = \vec{0}$$

25mm = 1 in - ما لازم بنه

primary cost effective stress management

Primary

$S_{CO} = \frac{De}{1+e_o} H$

$\bar{G}_{10} \rightarrow \bar{G}_P$

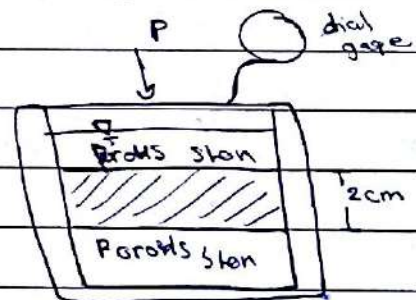
$S_g = \frac{\Delta e H}{1 + e_o}$ t_p : end of primary Consolidation $\rightarrow t??$

initial $\swarrow$
void ratio

52
↓ ↓ ↓ ↓ ↓ ↓
— 0 — —

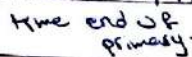
$$e_p = e_o - \Delta e$$

$$= e_o - \frac{\Delta I + v}{H_S}$$


$$\bar{G} = \frac{P}{A} = \frac{e}{e_0 - \frac{h\nu}{h\nu_s}}$$

gauge reading.

e e



مسائل دوید بعد از آنکه ما بگوئیم voids بالمره و نه مسائل.

$$\gamma = 20 \text{ kN/m}^3$$

2

4 m

$$e_0 = 0.8$$

4m

Rock layer

* ما بقدر أعمل أي فوج نسو عسرو

سلفیدرگانی و خاک آلی organic soil

وہر مرتبہ دعا دے

$$\bar{S}_{vo} = 79.14 \text{ kN/m}^3, \quad \bar{G}_R = 179.14 \text{ kN/m}^3$$

1+ep 27

primary

$$\Rightarrow \Delta c = \frac{0.27 \log 179.14}{79.14}$$

$$S_s = 0.0225 \text{ m}$$

$$\sigma_c = 190$$

29.14

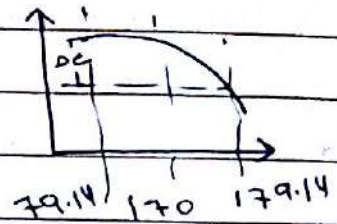
3

3

$$\Delta e_{\text{primary}} = \Delta e_1 + \Delta e_2 = \frac{1}{6} \times 0.27 \log \frac{170}{79.14} +$$

$$0.27 \log \frac{179.14}{170} = 0.021$$

$$e_p = 0.8 - 0.021 = 0.779$$



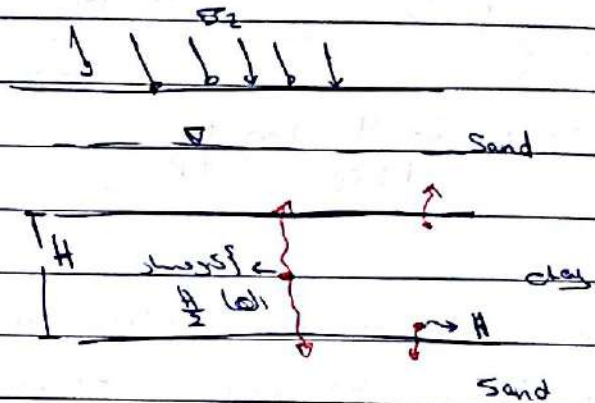
ex σ_z

$$\bar{\sigma} = \sigma_z - u$$

$t=0 \rightarrow \bar{\sigma} = \sigma_z - u_e$

σ_z

u_e



- Degree of consolidation. * result

$$U_z = \frac{e_0 - e}{e_0 - e_p} \quad \text{or} \quad U_z = \frac{\bar{\sigma} - \bar{\sigma}_0}{\bar{\sigma}_f - \bar{\sigma}_0}$$

at end of primary

U_z : degree of consolidation

e_0 : initial void ratio $\rightarrow \bar{\sigma}_0$

e_p : void ratio at end of primary $\rightarrow \bar{\sigma}_f$

e : void ratio at any time.

$$0.0 \leq U_z \leq 100\%$$

at $t=0$

$$U_e = [1 - U_z] \times \bar{\sigma}_z$$

excess pore water pressure

degree of consolidation

clay layer $\bar{\sigma}_z$, U_e , t , U_z , U_e

when, $t=0 \rightarrow U_e = \bar{\sigma}_z$

$t=t_p \rightarrow U_e = 0$

3

Terzaghi's Theory of one-dimensional consolidation.

The theory relate the following three quantities

- ① The excess pore water pressure (u_e) $u_e = [1 - u_z] \bar{\sigma}_z$
- ② The depth (z) below the top of clay layer.
- ③ The time (t) from application of the total stress.

$$\frac{\partial u_e}{\partial t} = C_v \frac{\partial^2 u_e}{\partial z^2} \Rightarrow T_v = \frac{C_v t}{(d)^2} \Rightarrow \frac{\pi (0.5)^2}{4} = \frac{C_v t_{50}}{(0.02)^2}$$

T_v : time factors (unitless)

$$T_v = \frac{\pi}{4} u_z^2 \quad \dots \quad u_z < 0.6$$

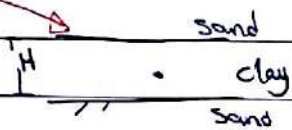
$$T_v = -0.933 \log(1 - u_z) - 0.085$$

$$u_z \geq 0.6 \quad (\text{بالنسبة للتربة الطينية})$$

$$d = \frac{H}{2} \quad \dots \quad \text{double drainage.} \quad \text{two paths}$$

$$d = H \quad \text{single drainage (one path)}$$

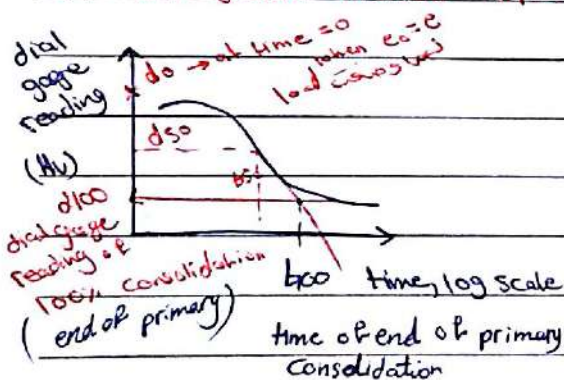
↑ sand
clay
Rock



C_v : coeff of consolidation (m^2/time)

t هو الزمن u_z هو

① Casagrande method (f50)



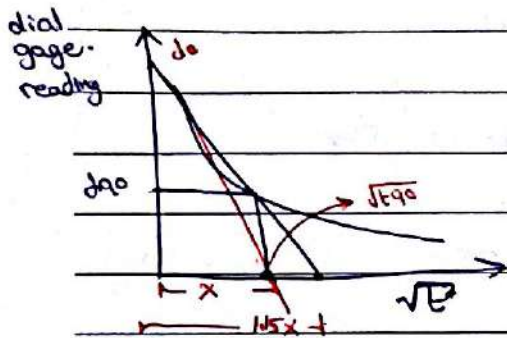
$$u_z = \frac{e_0 - e}{e_0 - e_p}$$

$$T_v = -0.933 \log(1 - u_z) - 0.085$$

$$e_0 = \frac{V_v}{V_s} = \frac{A' (H_v)}{A H_s}$$

$$d_{50} = \frac{d_0 + d_{100}}{2} \quad \text{degree is void at height of consolidation. 50}$$

② Taylor construction method (square-root method)



$$0.898 = \frac{c_v \times t_{90}}{\left(\frac{0.02}{2}\right)^2} \Rightarrow c_v = \frac{0.898 d^2}{t_{90}}$$

$$U_z = \frac{s_t}{s_c}$$

$$U_z = \frac{\frac{\Delta e_t}{e_0 - e_p}}{\frac{\Delta e_c}{e_0 - e_p}} \quad \text{end of primary consolidation.}$$

s_t : Settlement at any time.

s_c : Settlement at end of primary consolidation.

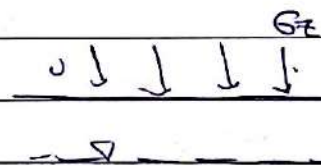
$$k = c_v \times M_v \times \gamma_w$$

M_v : coeff of compressibility

$$M_v = \frac{\Delta e}{[1+e_0] \Delta \bar{\sigma}} = \frac{1}{1+e_0} \left[\frac{e_0 - e_p}{\bar{\sigma}_f - \bar{\sigma}_v} \right]$$

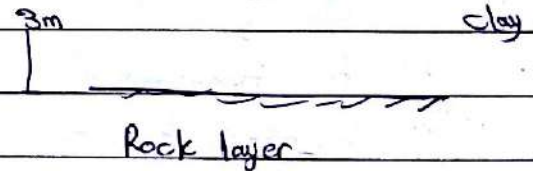
ex

Find the required to reach 50% degree of consolidation.



$$\frac{\pi}{4} (0.5)^2 = \frac{H^2}{Tv} = \frac{C_v \times t_{50}}{(3)^2} \Rightarrow t_{50} = 3$$

La single drainage



$$\frac{8064,000 \text{ sec}}{60 \times 60 \times 24} = 93.33 \text{ day}$$

lab -- $H = 25 \text{ mm}$, $t_{50} = 2 \text{ min} \cdot 20 \text{ sec} \cdot 3 \text{ m}$.

$$\frac{\pi}{4} (0.5)^2 = \frac{C_v \times 140 \text{ sec}}{\left(\frac{0.025}{2}\right)^2} \Rightarrow C_v =$$

$$0.898 = T_{v90} = \frac{C_v \times t_{90}}{(3)^2} \Rightarrow t_{90} =$$

$$\bar{\sigma}_z = 150 \text{ kN/m}^2$$

ex

① Find primary consolidation settlement

$$S_c = \frac{\Delta e}{1+e_0} H = \frac{1.1 - 0.9}{1+1.1} \times 1.8 = 17.14 \text{ mm}$$

$$\begin{aligned} \bar{\sigma}_{v0} &= 150 \text{ kN/m}^2 \rightarrow e_0 = 1.1 \\ \bar{\sigma}_v &= 300 \text{ kN/m}^2 \rightarrow e = 0.9 \\ \text{lab} \rightarrow H &= 25 \text{ mm}, t_{50} = 2 \text{ min clay} \end{aligned}$$

Rock layer

② Find time required to reach 60% degree of consolidation

$$\frac{\pi}{4} (0.6)^2 = T_v = \frac{C_v \times t_{60}}{(1.8)^2}$$

$$t_{60} = \frac{\pi/4 (0.6)^2 \times (1.8)^2}{1.53 \times 10^{-5}} = 60565 \text{ min} = 60 \times 24 = 42.06 \text{ day}$$

lab

$$\frac{\pi}{4} (0.5)^2 = \frac{C_v \times 2 \text{ min}}{\left(\frac{0.025}{2}\right)^2}$$

$$\Rightarrow C_v = 1.53 \times 10^{-5} \text{ m}^2/\text{min}$$

③ Find the excess pore water pressure at 42.06 day

$$u_e = [1 - U_z] \bar{\sigma}_z = [1 - 0.6] \times 150$$

④ Find " " " at 80 days.

$$T_v = \frac{1.53 \times 10^{-5} \text{ m}^2/\text{min} \times (80 \times 24 \times 60)}{(1.8)^2} =$$

$$U_z = -0.933 \log(1 - U_e) = 0.085 \Rightarrow U_e$$

ex. 10.11 (1) (10)

$$4) U_e = [1 - U_z] \times 150$$

$$T_v = -0.933 \log(1 - U_z) - 0.085$$

$$T_v = \frac{C_v \times t}{d^2} = \frac{1.53 \times 10^{-5} \text{ m}^2/\text{min} \times 80 \times 24 \times 60}{(1.8)^2}$$

5) Find the required to reach settlement 10cm.

$$U_z = \frac{st}{sc}, \quad U_z = \frac{e_0 - e}{e_0 - e_p}, \quad sc = \frac{\Delta e H}{1 + e_0}$$

$$\rightarrow \frac{\frac{\Delta e H}{1 + e_0}}{\frac{e_0 - e_p}{1 + e_0} H} = \frac{\Delta e}{e_0 - e_p} = \frac{e_0 - e}{e_0 - e_p}$$

$$U_z = \frac{10}{17} = 0.58$$

$$T_v = \frac{1.53 \times 10^{-5} \times t}{(1.8)^2}$$

6) Estimate time required to end of primary.

$$0.898 = T_v = \frac{C_v \times t_{90}}{(d)^2} = \frac{1.53 \times 10^{-5} \times t_{90}}{(1.8)^2} \Rightarrow t_{90} = \frac{0.898 [1.8]^2}{1.53 \times 10^{-5}}$$

$$T_v = -0.933 \log(1 - 0.9) - 0.085$$

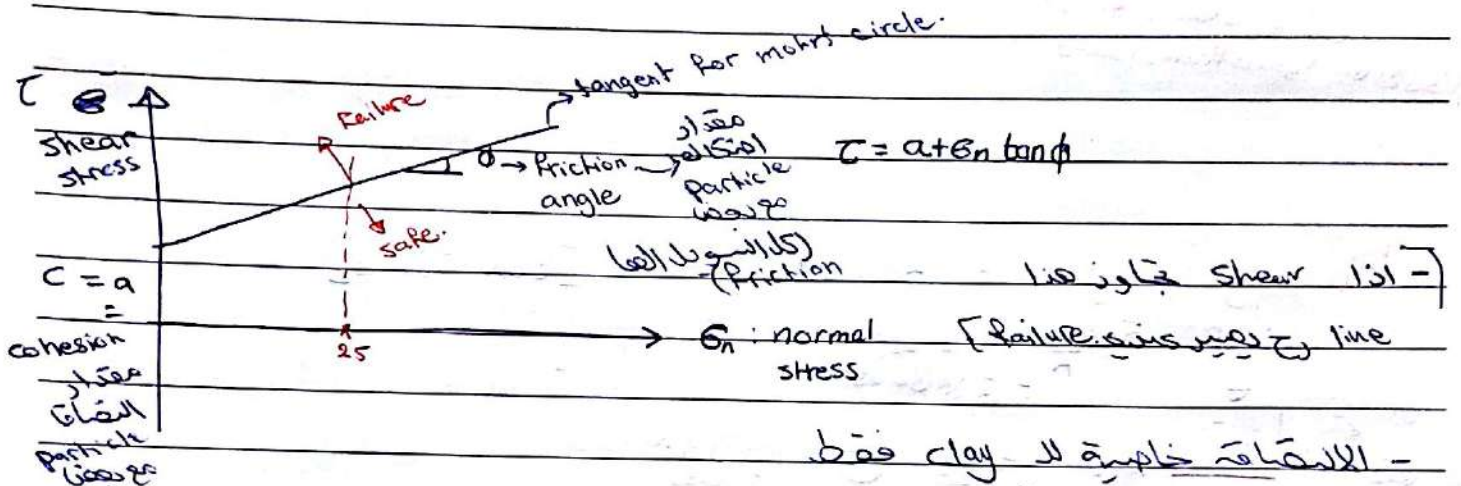
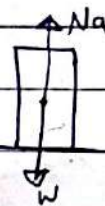
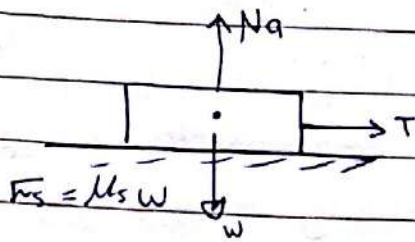
$$T_v = \frac{C_v \times t}{d^2}$$

7) Find the coefficient of permeability (k)

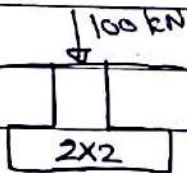
$$k = C_v \times m_v \times \gamma_w \Rightarrow C_v \times \frac{1}{1 + e_0} \times \frac{\Delta e}{\Delta s} \times \gamma_w$$

$$= 1.53 \times 10^{-5} \text{ m}^2/\text{min} \times \frac{1}{1 + 1.1} \times \frac{1.1 - 0.9}{150 \text{ kN/m}^2} \times 9.806 \text{ kN/m}^2 = 95.3 \times 10^{-9} \text{ m/min}$$

كلا النوعين السويدين Failure و Shear Shear strength parameter



الانقلاط خاضعة لل clay base



$$\sigma_n = \frac{100}{4} = 25 \text{ kN/m}^2$$

الحدود الدنيا للحدود safe
 c & φ من الحد

* laboratory strength test :-

the shear strength parameter c & ϕ
 or σ' & ϕ determined from lab :-

① Direct shear test

- ② triaxial shear test
 - UU-test
 - CU-test
 - CD-test

Simulation الموقع

Direct shear stress

تعرين السور فورسا مباشر

$$\gamma = m$$

Soil V



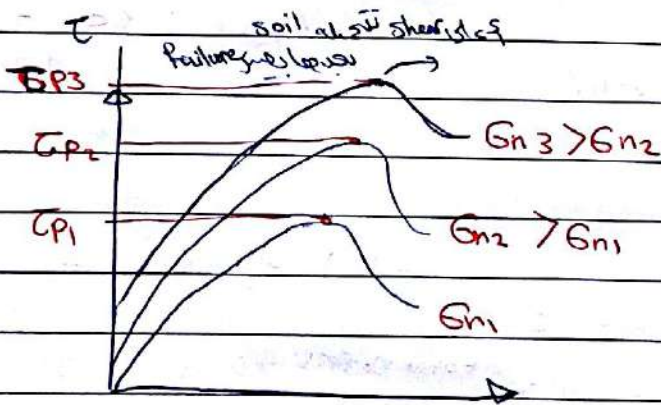
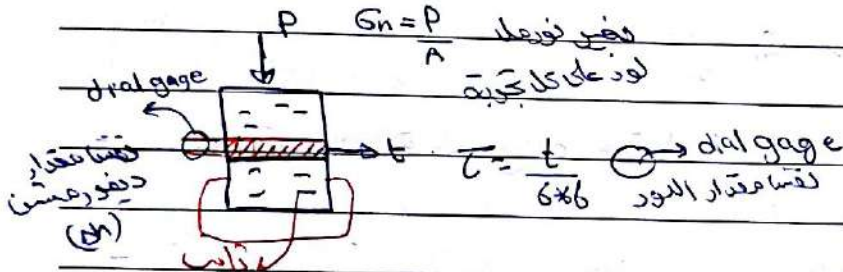
$$\tau_f = c + \sigma_n \tan \phi$$

Direct slope stability

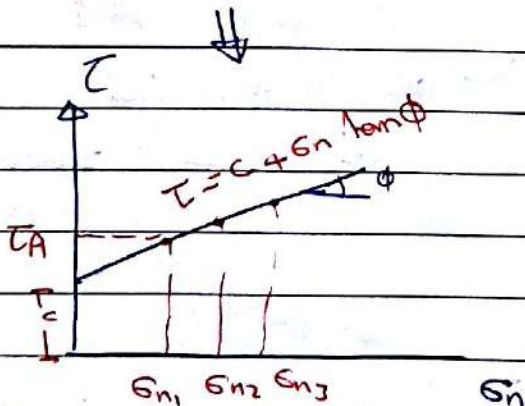
نقطة تقاطع الخط

ومقدار الضغط على الانحدار

laboratory strength test 6cm X 6cm X 6cm [box testing]



δh (mm) (horizontal Deformation)

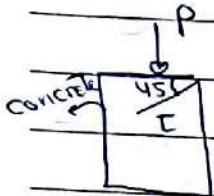


* يبنى الحكم بالزاوية φ أي هي زاوية القطع
حيث (م) هي Safe

* Advantages

مزايا Direct shear

- ① cheap, fast, simple $\Rightarrow$ specially for sand
- ② Failure occurs along a single surface. $\phi = 0.0$
Failure angle: 0.0



normal load
shear failure

- يمكن إجراء Failure من خلال جهاز Shear

* Disadvantages

- صعبة إجراء اختبار في التربة المشبعة بالماء (excess pore water pressure)

- ① Difficult or impossible to control drainage especially for fine soils

- ② Failure plane is forced

أجبرته على أن يفشل في مستوى محدد

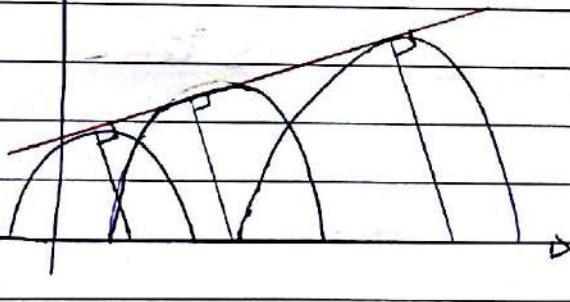
- ③ Non-uniform stress could addition

(الفرق بين الضغط)

- ④ The principle stress rotates during shear

$\rightarrow \sigma_{max}, \sigma_{min}$

τ



مواضع
عند الفشل
من الدوائر

$$\bar{\sigma}_3 \rightarrow \sigma_3 = \min$$

$$\bar{\sigma}_p = \bar{\sigma}_3 + \sigma_z \Rightarrow \sigma_1 = \max$$

② triaxial test indirect [اختبار غير مباشر]

① UU-test (Unconsolidation-undrained test)

لا يوجد consolidation

Two stages

excess pore water

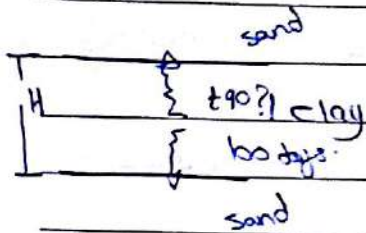
① confinement stress ② shearing

horizontal

σ_1
 σ_3

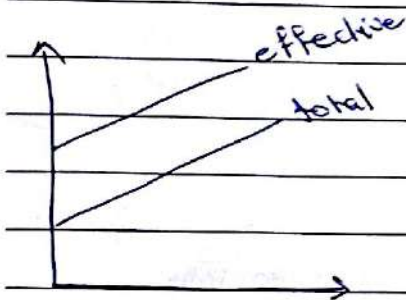
الضغط الكلي total stress
Five Apple

⇒ interm of total stress ⇒ excess pore water pressure Consolidation لا يوجد
pressure ≠ 0



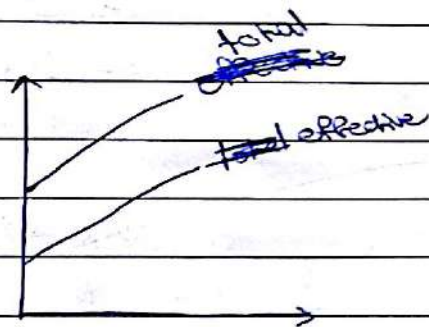
- جميع المياه من التربة تصير لها Consolidation على طرفيها
من drainage

- بالكلية ما لا يتبقى قوة ضغط Pore water بالكلية
steel يمنع drainage فلا يحدث Consolidation



- لماذا نبدأ لهذا الاختبار؟

لأنه يحدد قوة مقاومة التربة
بعد تسخينها وإدخالها في التربة
لقد تم إجراء هذا الاختبار في
تصميم الأساسات وقياس الأحمال
على الأساسات أثناء البناء.



- دعنا نأخذ الآن افتراضاً فيكون التربة
واحدة التربة

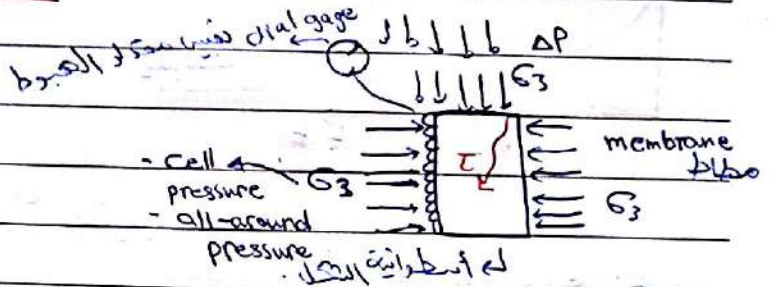
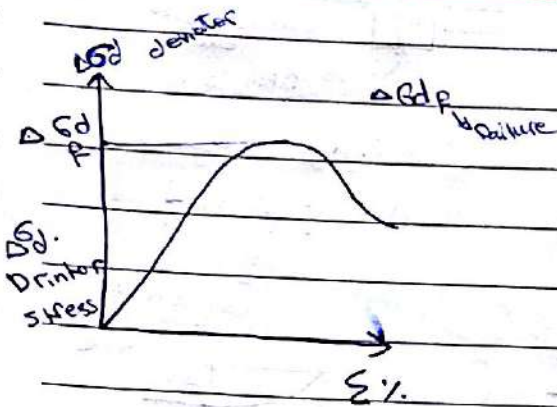
$$0.848$$

$$T_v = \frac{c_v t_{90}}{d^2}$$

$$t_{90} = \frac{T_v d^2}{c_v}$$

Triaxial test

① U-U test = Unconsolidation - Undrained test (Q-test) :-



$$\Sigma = \frac{\Delta L}{L_0}$$

① Confinement

② Shearing

Shear strain

$$L = 36 \text{ mm}$$

$$d_0 = 38 \text{ mm}$$

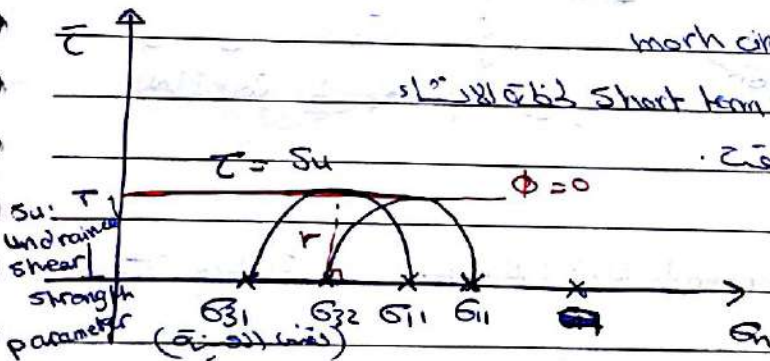
$V = \text{const}$ (constant volume)

$$A_0 L_0 = A_c [L_0 - \Delta L]$$

$$\Rightarrow A_c = \frac{A_0 L_0}{L_0 - \Delta L} = \frac{A_0}{1 - \frac{\Delta L}{L_0}} \Rightarrow \Sigma$$

$$\Delta \sigma_d = \frac{\Delta P}{A_c}$$

$$\sigma_1 = \sigma_3 + (\Delta \sigma_d)_p$$



mark circle for two stress circles -

Short term test (clay) case

Full saturation particle w/ friction

water in soil $\phi = 0$

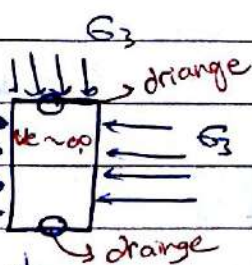
Full saturation particle w/ friction

Long load test (sand) test

drainage

② C-U test = consolidated - Undrained test (R-test) $\Rightarrow$ total stress.

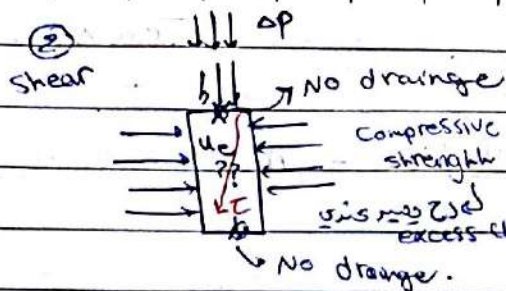
Earthquake



① Confinement

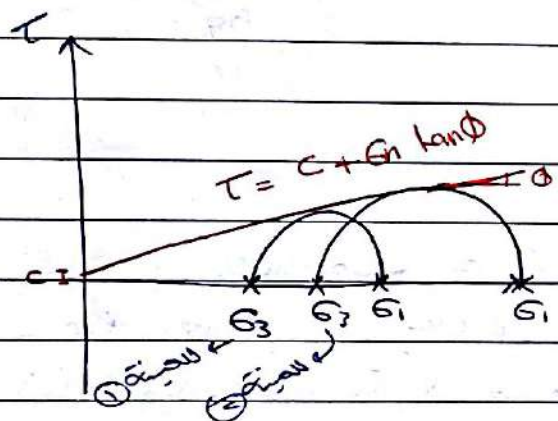
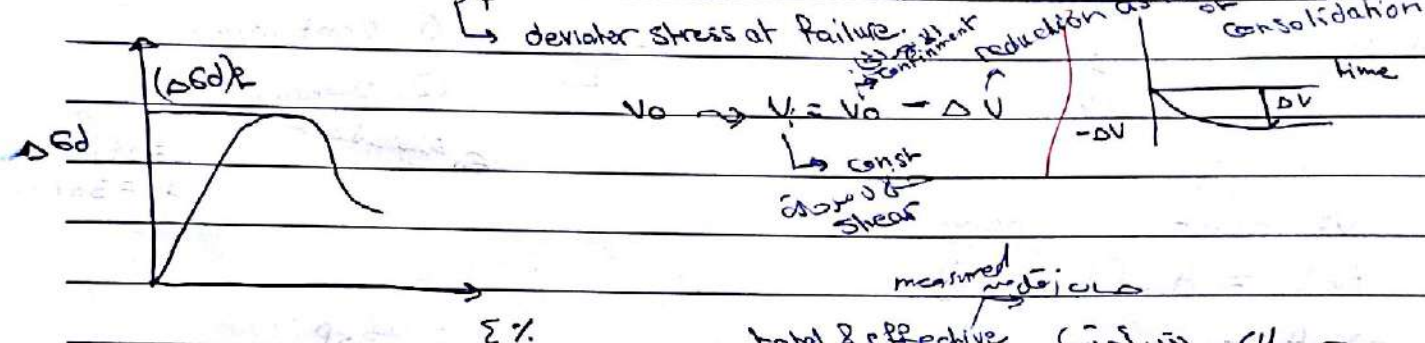
Confinement

Shear



Failure of oil ^{excess} u is 1st load & plate -

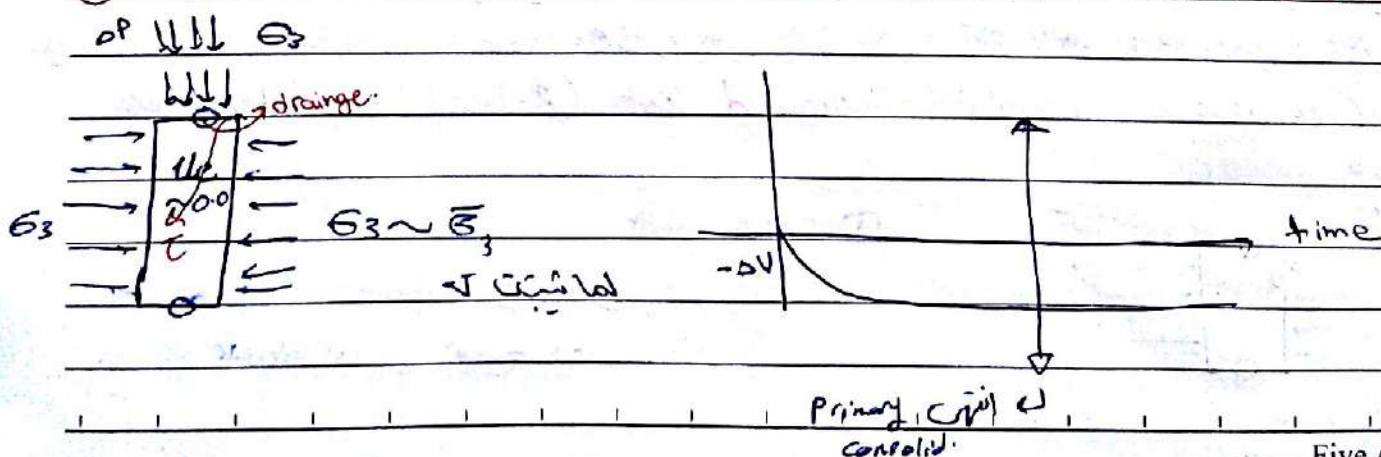
$$G_1 = G_3 + (\Delta G_d)_p$$



مناقشة ٤٥ كلاً ما تريد
وسامع ب. المتكلم نبدأ خذ
للماء في ٦٣ أكبر فوج نذير

③ U_d - test : Unconsolidated drained test (R-test): $\sigma'_v = \sigma'_h = \sigma'_3$

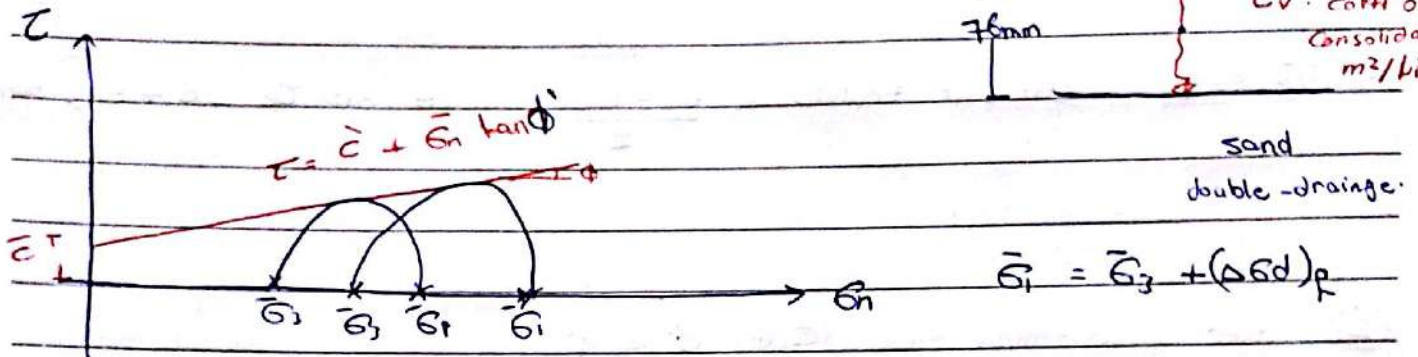
(4) CD-test: Consolidated drained test (S-test):- effective stress.



29/3/2016

of loading.

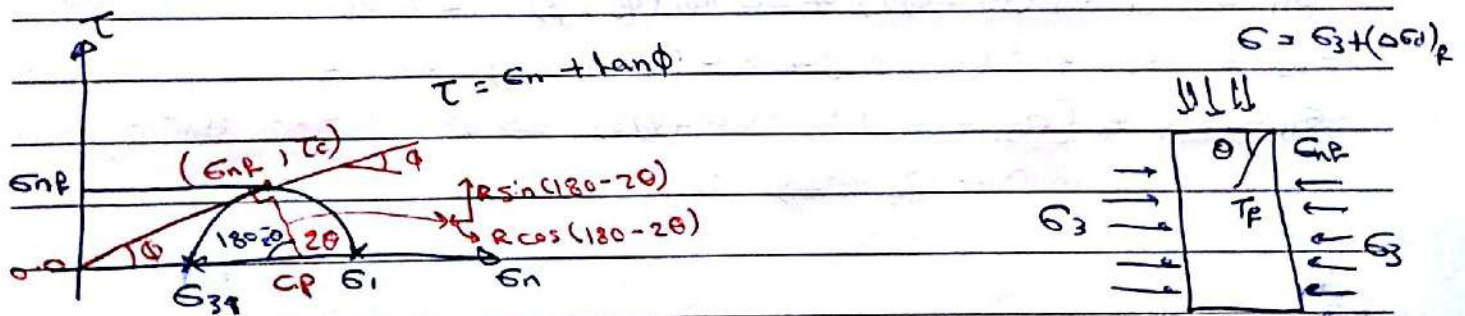
Rate $< C_v$: coefficient of consolidation.
mm/time.



drainage path $\rightarrow$ clay to water particles $\rightarrow$ clay $\rightarrow$ rate is low
sand $\rightarrow$ clay $\rightarrow$ rate is high

Prediction of shear strength parameter (c, ϕ) or (k, ϕ)

① For sand & N.C clay ($C \geq 0.0$)



$$\textcircled{1} \sin \phi = \frac{G_1 - G_3}{G_3 + \frac{G_1 - G_3}{2}} = \frac{G_1 - G_3}{\frac{2G_3 + G_1 - G_3}{2}} = \frac{G_1 - G_3}{G_1 + G_3}$$

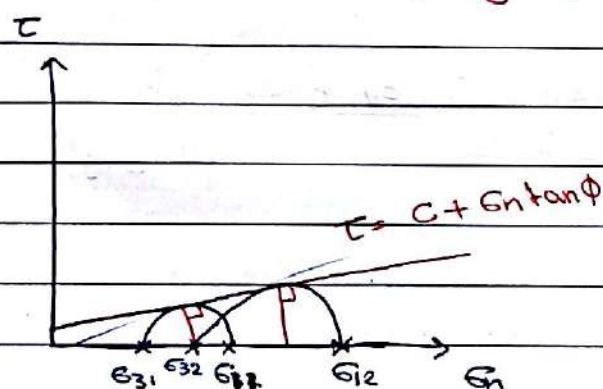
$$\Rightarrow \theta = \sin^{-1} \left[\frac{G_1 - G_3}{G_1 + G_3} \right]$$

② $\phi + 90 + 180 - 2\theta = 180 \Rightarrow \theta = 45 + \frac{\phi}{2}$, θ Refractive Angle

③ σ_{np} : Normal stress at failure = $\frac{\sigma_1 + \sigma_3}{2} + \frac{\sigma_1 - \sigma_3}{2} \cos 2\theta$

④ τ_p : Shear stress at failure = $\frac{\sigma_1 - \sigma_3}{2} \sin 2\theta$ or $\tau_p = \sigma_{np} \tan \phi$

② over consolidation clay (c, ϕ) c' & ϕ'



$$\sigma_{11} = \sigma_{31} \tan^2 (45 + \phi/2) + 2c \tan (45 + \phi) \quad \text{--- ①}$$

$$\sigma_{12} = \sigma_{32} \tan^2 (45 + \phi/2) + 2c \tan (45 + \phi) \quad \text{--- ②}$$

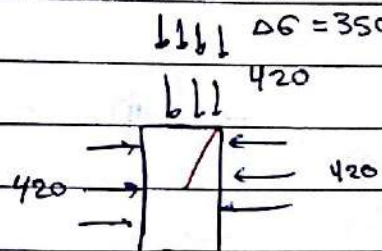
$$\sigma_{11} - \sigma_{12} = [\sigma_{31} - \sigma_{32}] \tan^2 (45 + \phi/2) \Rightarrow \phi \quad \text{--- ① - ②}$$

sub in ① or ② $\Rightarrow c$

ex

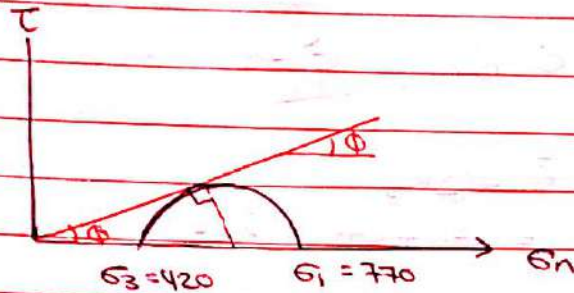
cd

A specimen of saturated sand was consolidated under or around pressure of 420 kN/m^2 . The axial stress was then increased without permeability drainage. specimen failed when the axial stress reached 350 kN/m^2 . pore water pressure at failure was 289.45 kN/m^2



Find :-

- ① Consolidated - Undrained Shear strength parameter (c_u, ϕ_u)
- ② effective shear strength parameter (drained) (c', ϕ')



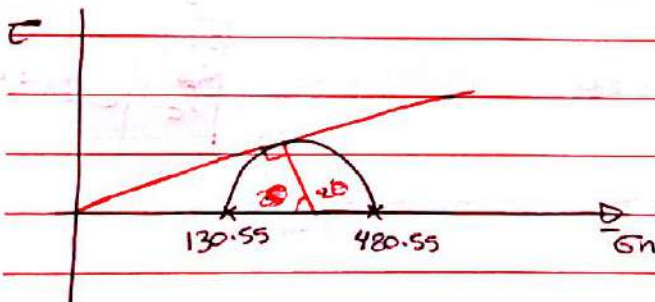
$$\sigma_1 = \sigma_3 + (\Delta \sigma_d) = 420 + 350 = 770$$

$$\sin \phi = \frac{\sigma_1 - \sigma_3}{\sigma_1 + \sigma_3} = \frac{770 - 420}{770 + 420} = 0.294 \Rightarrow \phi = \sin^{-1}(0.294) = 17.1^\circ$$

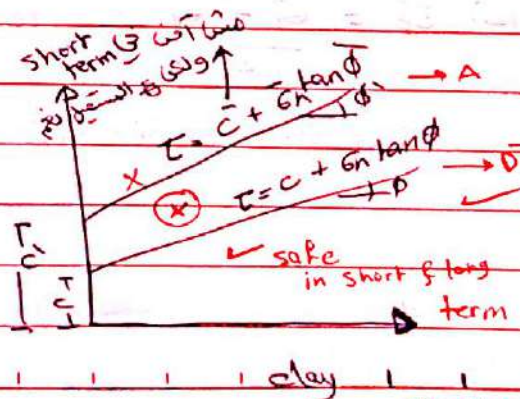
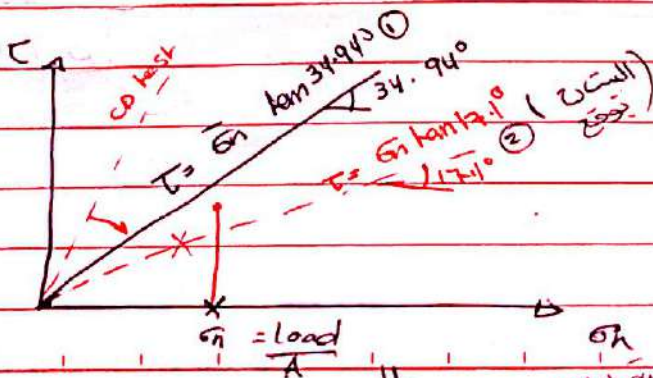
$$\tau = \sigma_n \tan 17.1^\circ$$

$$\bar{\sigma}_3 = \sigma_3 - u = 420 - 289.45 = 130.55 \text{ kN/m}^2$$

$$\bar{\sigma}_1 = \sigma_1 - u = 770 - 289.45 = 480.55 \text{ kN/m}^2$$



$$\sin \phi' = \frac{480.55 - 130.55}{480.55 + 130.55} = 0.5727 \Rightarrow \phi' = \sin^{-1}(0.5727) = 34.94^\circ$$



① sand (permeability infinite) drainage is

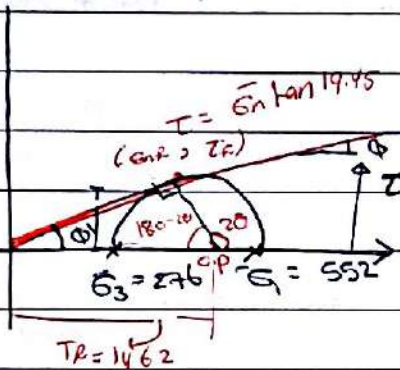
② clay (permeability finite) drainage is

Five Apple

ex

A consolidated - drained triaxial test was calculated on an normally clay $[c=0]$ $\bar{\sigma}_3 = 276 \text{ kN/m}^2$ $(\Delta\sigma_d)_p = 276 \text{ kN/m}^2$

① effective shear strength parameters (c', ϕ') $c' = 0$



$$\begin{aligned}\bar{\sigma}_1 &= \bar{\sigma}_3 + (\Delta\sigma_d)_p \\ &= 276 + 276 = 552\end{aligned}$$

$$\sin \phi' = \frac{\bar{\sigma}_1 - \bar{\sigma}_3}{\bar{\sigma}_1 + \bar{\sigma}_3} = \frac{552 - 276}{552 + 276} \Rightarrow \phi' = 19.45^\circ$$

② Angle of Failure $(\theta) \Rightarrow \theta = 45^\circ + \frac{\phi'}{2} = 45 + \frac{19.45}{2} = 54.73^\circ$

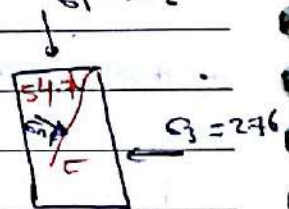
$$\textcircled{3} \sigma_{nr} = \frac{\bar{\sigma}_1 + \bar{\sigma}_3}{2} + \frac{\bar{\sigma}_1 - \bar{\sigma}_3}{2} \cos 2\theta$$

$$= \frac{552 + 276}{2} + \frac{552 - 276}{2} \cos 2 \times 54.73^\circ$$

$$= 368.03$$

$$\textcircled{4} \tau_f = \frac{\bar{\sigma}_1 - \bar{\sigma}_3}{2} \sin 2\theta = \frac{552 - 276}{2} \sin 2(54.73^\circ) = 130.12 \text{ kN/m}^2$$

$$\tau_f = 0.0 + 368.03 \tan 19.45^\circ$$

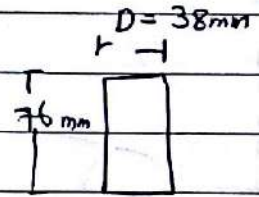


⑤ Find normal stress at maximum shear stress.

$$\sigma_n = \frac{\bar{\sigma}_1 - \bar{\sigma}_3}{2} + \frac{\bar{\sigma}_1 - \bar{\sigma}_3}{2} \cos 90^\circ = \frac{552 + 276}{2} = 414 \text{ kN/m}^2$$

$$\tau_{\max} = \frac{\bar{\sigma}_1 - \bar{\sigma}_3}{2} = \frac{552 - 276}{2} = 138 \text{ kN/m}^2$$

$$\tau_f = 0 + 414 \tan 19.45 = 146.2 \text{ kN/m}^2$$



ex over consolidation clay $\Rightarrow$ C-D test

① $\bar{\sigma}_3 = 100 \text{ kN/m}^2$, $\sigma_{dp} = 410.6 \text{ kN/m}^2$

② $\bar{\sigma}_3 = 50 \text{ kN/m}^2$, $(\Delta \bar{\sigma}_d)_p = 384.37 \text{ kN/m}^2$

$$\bar{\sigma}_1 = \bar{\sigma}_3 \tan^2(45 + \frac{\phi'}{2}) + 2c' \tan(45 + \frac{\phi'}{2})$$

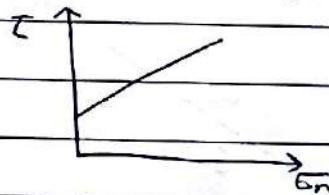
$$510.6 = 100 \tan^2(45 + \frac{\phi'}{2}) + 2 \times c' \tan(45 + \frac{\phi'}{2}) \quad \text{--- (1)}$$

$$434.37 = 50 \tan^2(45 + \frac{\phi'}{2}) + 2 \times c' \tan(45 + \frac{\phi'}{2}) \quad \text{--- (2)}$$

$$76.23 = 50 \tan^2(45 + \frac{\phi'}{2}) \Rightarrow \frac{\phi'}{2} + 45 = \tan^{-1} \sqrt{\frac{76.23}{50}}$$

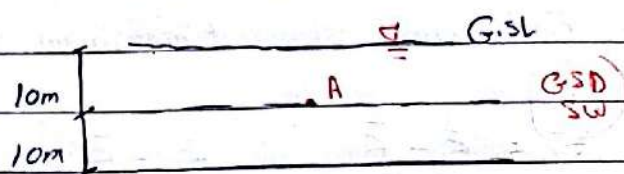
$$\Rightarrow \phi' = 12^\circ \Rightarrow c' = 175 \text{ kN/m}^2$$

$$\tau = 175 + \bar{\sigma}_n \tan 12^\circ$$



ex

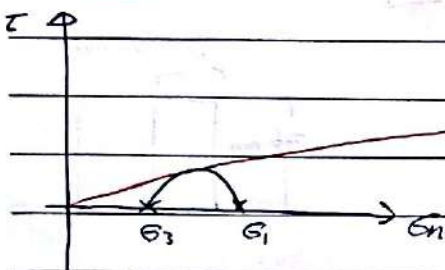
$$\tau = c + \sigma_n \tan \phi \rightarrow 35^\circ$$



$$\sigma_n = \gamma_{sat} \times 10$$

C-D test

#4
#266
LL
PL
→ classification



$$\sin \phi = \frac{\sigma_1 - \sigma_3}{\sigma_1 + \sigma_3} \Rightarrow \phi = 35^\circ$$

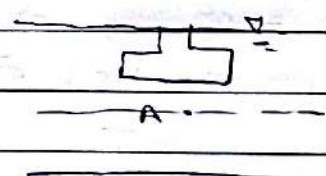
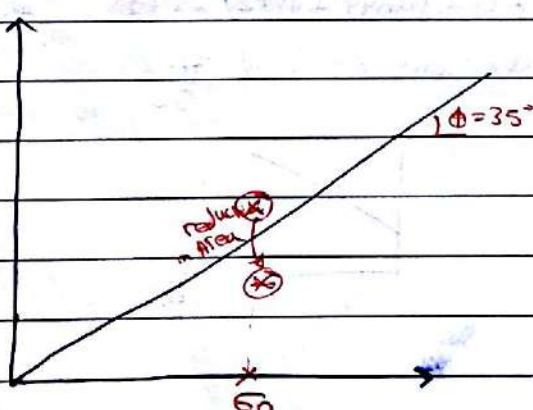
$$\bar{\sigma}_n = [\gamma_{sat} \times 10m] - [10 \times 9.806]$$

$$\gamma_{sat} = \frac{G_s + e}{1 + e} \gamma_w$$

2.67 measured in lab

$$G_s \gamma_w = S_r e \gamma_w \Rightarrow e = 0.8$$

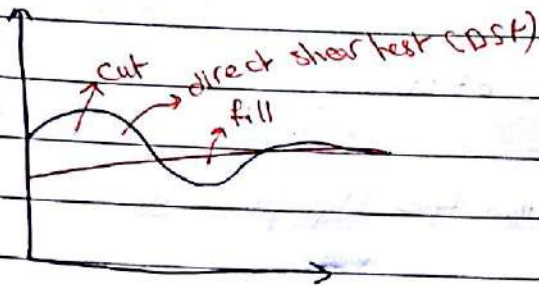
2.67 ← G_s \gamma_w = S_r e \gamma_w



$$\sigma_{np} = \bar{\sigma}_{v0} + \bar{\sigma}_z$$

$$\frac{\phi}{A} \rightarrow 2 \times I_r$$

3/4/2016



residual state

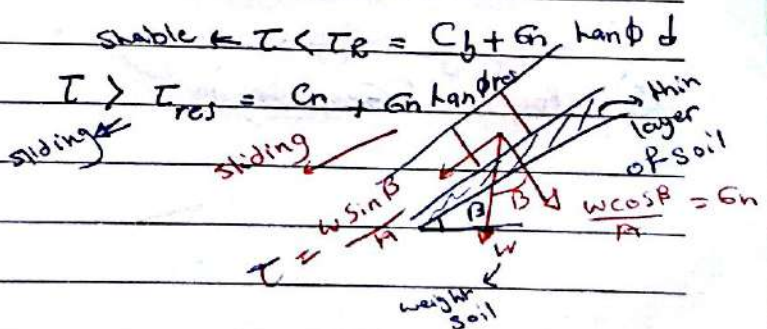
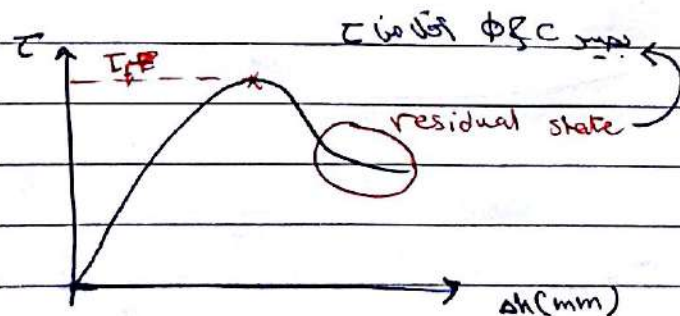
Slope stability

Slope in soils and rock are ubiquitous in nature & man-made structures.

- high ways, dams, levees, bund-walls, and stock piles are constructed by sloping the face of the soil.
- Natural Forces (wind, water, etc., --) change the topography on earth often creating unstable slopes.
- Failure of such slope, resulted in human loss & destruction.

* Definition of key terms:-

- ① Slip or failure zone :- A thin zone of soil that reaches critical state or "residual state" and result in movement of the upper soil mass.



② Slip plane :- Failure plane :- Surface of sliding

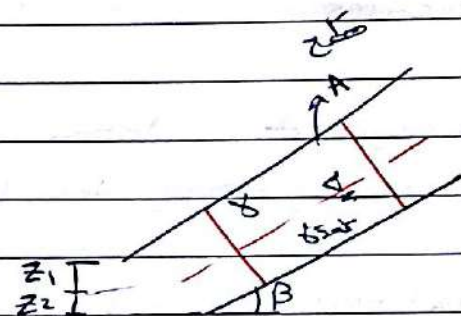
③ Sliding mass :- mass of soil within the slip plane and the ground surface

④ Slope Angle : Angle of inclination of slope to the horizontal

⑤ pore water ^{pressure} ratio (r_u) : The ratio of pore water force on a slip surface to the total weight of the soil & any external loading

$$U = \frac{[\gamma_w z_2] * A \text{ as a force}}{([\gamma + z_1] + [\gamma_{sat} + z_2]) * A}$$

$$r_u = \frac{\gamma_w z_2}{(\gamma + z_1) + (\gamma_{sat} + z_2)}$$



* Slope failure depend on :-

① Type of soil
 fine-grained
 coarse-grained $\Rightarrow C, \phi$

② Soil stratification

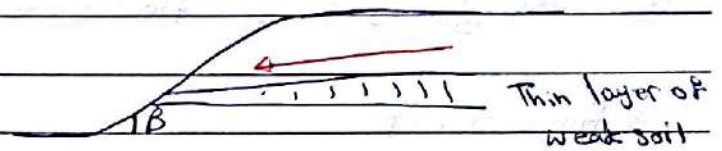
③ Ground water table

④ seepage (flow rate)

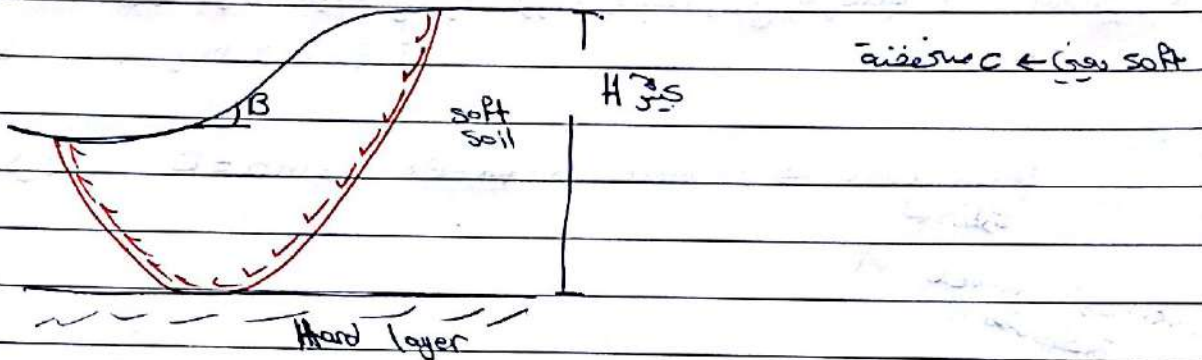
⑤ Angle (Geometry)

* Common type of slope failure:-

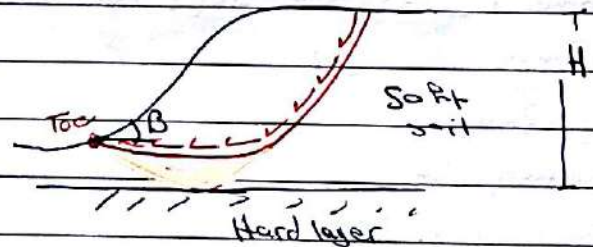
① movement of soil mass along a thin layer of weak soil



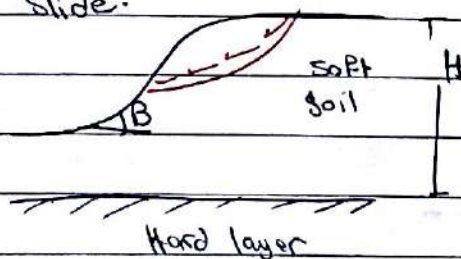
② Base slide.



③ Toe slide:-



④ Slope slide.



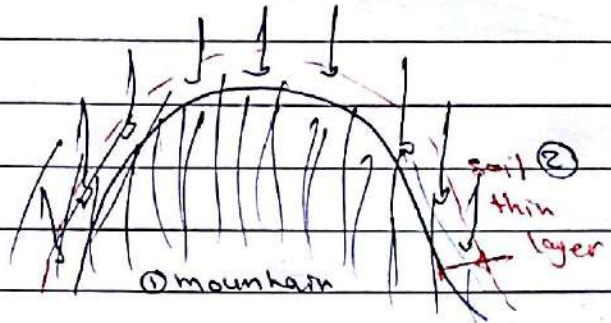
⑤ Block slide
seepage limited



⑥ slope failure → Flow slide

③ Huge rainfall

Water level - Pore water pressure



الأمطار تخلق إجهاداً للتربة وتزيد الوزن (بسبب ارتفاع Pore water pressure) في Shear (قوة القص)
في magnitude لا Force تزيد

الزلازل → Shear wave → acceleration → $ma = F$

vertical waves of vibration

* Some Causes of slope failure.

① Erosion (التآكل)

② Rainfall

③ Earthquake

④ Geological features

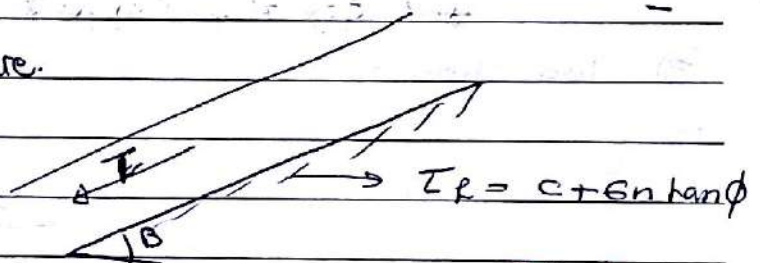
⑤ Construction activity

⑥ External loading

⑦ Excavated slope

⑧ Fill slope.

⑨ Rapid draw Down.



① increase of shear (زيادة الإجهاد)

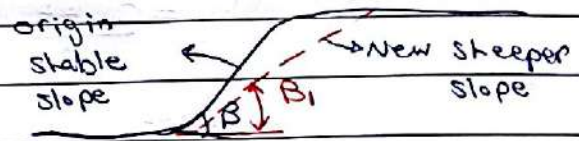
② Steeper Angle (Geometric)

inclination angle

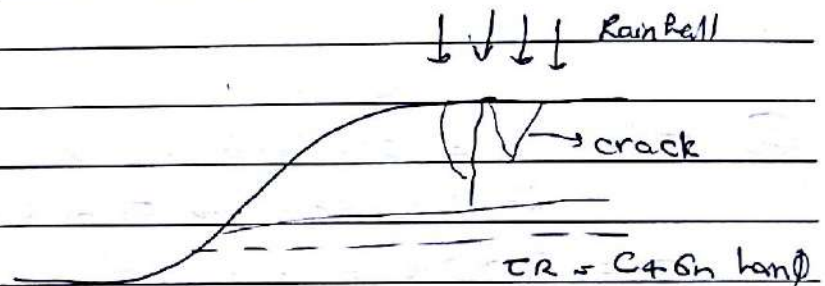
* some causes of slope failure:-

① **Erosion**:- water and wind continuously erode natural and man made slopes.

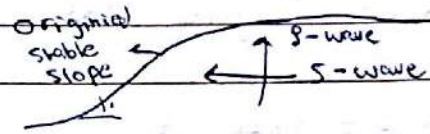
it changes the geometry of the slope, ultimately resulting in slope failure or more aptly, landslide.



② **Rain Fall**:- long period of rainfall saturate, soften & erode soils.



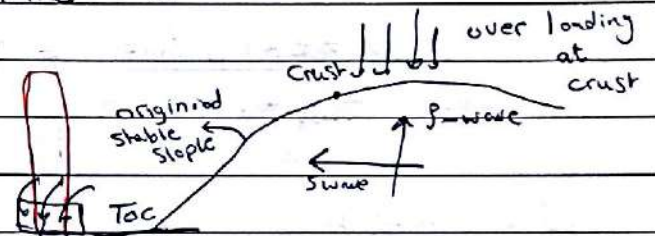
③ Earthquake: Introduce dynamic force, especially dynamic shear force



④ Geological Factors:-
(الجيولوجيا)



⑤ external loading: Load placed on the crest of slope, add to the gravitational load, and may cause slope failure.



Resistance to the structure (المقاومة للهيكل)
Slope Failure or Stability (فشل المنحدر أو استقراره)

⑤ Construction Activity:-

- Excavated slope: If the slope failure were to occur, they would take place after construction is completed.

- Fill slope: Failure occur during construction.

⑥ Rapid Draw down:-

سحب المياه السريع

later force provided by water removed and excess p.w.p does not have enough time to dissipated

$$\bar{\sigma} = \sigma_t - u$$



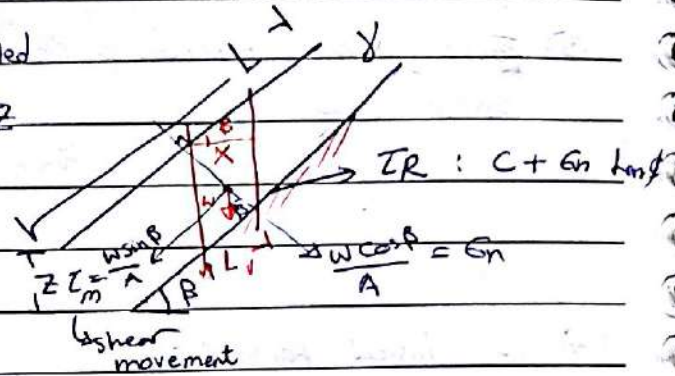
إذا زادت الأحمال وقلت المقاومة إذا تجاوزت Capacity

مع زيادة السدود في حالة السدود ذات gates فتسحب المياه بسرعة ويزداد مستوى المياه level of water

Infinite slope :-

a slope that have dimension extended over a great distance. $L \gg Z$

S.F = Safety Factor
 $= \frac{T_R}{T_m} \gg 1.5$



T_m : movement shear

unsaved & stable $\leftarrow 1 < S.F < 1.5 \text{ to } 1.8$

T_R : resistance shear

$$T_m = \frac{W \sin \beta}{A} = \frac{\gamma V g \sin \beta}{A} = \frac{\gamma * [x * z * l] \sin \beta}{L * x}$$

$$= \frac{\gamma [x * z * l] \sin \beta}{\frac{x}{\cos \beta} * l} = \gamma * z * \sin \beta \cos \beta$$

$$T_R = C + G_n \tan \phi$$

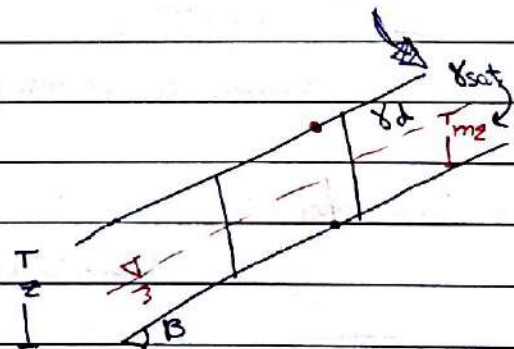
$$G_n = \frac{\gamma * [x * z * l] \cos \beta}{\frac{x}{\cos \beta} * l} = \gamma * z * \cos^2 \beta$$

$$S.F = \frac{C + [\gamma * z * \cos^2 \beta] \tan \phi}{\gamma * z * \sin \beta \cos \beta}$$

$$0 < m < 1$$

$$* T_R = C + G_n \tan \phi$$

$W = \gamma_d \text{ water} + \gamma_{sat} \text{ soil}$



$$W = \gamma_d [(1 - m_2) * x * l] + \gamma_{sat} * m_2 * x * l$$

$$T_m = \frac{W \sin \beta}{A} = \frac{Z [\gamma_d (1 - m) + m \gamma_{sat}] \sin \beta}{\frac{x}{\cos \beta}}$$

$$\gamma_{sat} > \gamma_d$$

→ pore water pressure

$$* SF = \frac{C + [\gamma_d - U] \tan \phi}{\tau_m}$$

$$* \gamma_d = \frac{\gamma}{1+m} = \frac{\gamma_d (1-m) + m \gamma_{sat}}{1-m}$$

$$* U = \frac{\gamma_w [x_1 + x_2 m_2]}{\gamma_d / \cos \beta} \cos \beta = \gamma_w \times m_2 \times \cos^2 \beta$$

$$* \tau_R = C + [\gamma_d - U] \tan \phi$$

$$SF = \frac{\tau_R}{\tau_m} \rightarrow \text{saturated}$$

$$SF = \uparrow \rightarrow \text{sat}$$

دنيا المقام وقلة البند
 * ووجود water table في SF (تأثيره على) τ_R
 • γ_d و γ_{sat} و m و x_1 و x_2 و m_2 و τ_R

(7) $\cos \phi$

c. 50 D

c. 50 D

(8) $\sin \phi$

c. 12 D
c. 12 D

$$S.F = \frac{T_R}{T_m} \geq 1.5$$

$$T_m = [(1-m) \gamma_d + m \gamma_{sat}] Z \cos \beta \sin \beta$$

$$T_R = C + [E_n - U] \tan \phi$$

$$E_n = [(1-m) \gamma_d + m \gamma_{sat}] Z \cos^2 \beta$$

$$U = m Z \gamma_w \cos^2 \beta$$

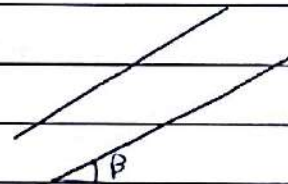
① If $m = 0.0$ & $C = 0.0$

$\Rightarrow$ if $S.F = 1 \Rightarrow T_R = T_m$

$$T_m = \gamma_d \times Z \cos \beta \sin \beta$$

$$T_R = [\gamma_d \times Z \cos^2 \beta] \tan \phi$$

$$\frac{\gamma_d \times Z \cos^2 \beta \tan \phi}{\gamma_d \times Z \cos \beta \sin \beta} = 1$$



$$\frac{\tan \phi}{\tan \beta} = 1 \Rightarrow \tan \beta = \tan \phi$$

Peritroch = ϕ

$$\Rightarrow \frac{T_R}{T_m} = 1 \Rightarrow \frac{0.0 + [\gamma_{sat} \times Z \cos^2 \beta - \gamma_w \times Z \times \cos^2 \beta] \tan \phi}{\gamma_{sat} \times Z \cos \beta \sin \beta}$$

$$= \frac{[\gamma_{sat} - \gamma_w] \cos \beta \tan \phi}{\gamma_{sat} \times \sin \beta}$$

$$= \frac{\bar{\gamma}}{\gamma_{sat}} \times \frac{\tan \phi}{\tan \beta} = 1 \Rightarrow \tan \beta = \frac{\bar{\gamma}}{\gamma_{sat}} \tan \phi$$

$$\Rightarrow \beta \sim \frac{1}{2} \phi'$$

* IF $m=1$ $C_u =$, $\phi = 0.0$

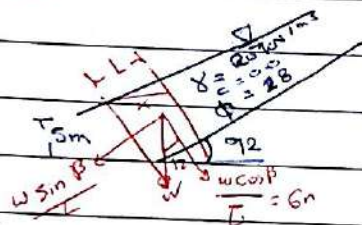
$$\frac{T_p}{T_m} = S.F. = 1 \Rightarrow \frac{T_p}{T_m} = \frac{C_u + [G_n - U] \tan \phi}{\gamma \times Z \times \sin \beta \cos \beta} = \frac{C_u}{\gamma \times Z \times \sin \beta \cos \beta}$$

$$\Rightarrow \sin \beta \cos \beta = \frac{C_u}{\gamma \times Z}$$

$$\frac{1}{2} \sin 2\beta = \frac{C_u}{\gamma \times Z} \rightarrow \sin 2\beta = \frac{2 C_u}{\gamma \times Z} \rightarrow \text{stability NO}$$

$$\sin 2\beta = 1 \Rightarrow \beta_{critical} = 45^\circ$$

ex



$$S.F. = \frac{T_p}{T_m}$$

$$S.F. = \frac{0.4 \left[\gamma_{sat} \times Z \cos^2 \beta - \gamma_w \times Z \cos^2 \beta \right] \tan \phi}{\gamma_{sat} \times Z \times \sin \beta \cos \beta}$$

$$= \frac{[20 \times 5 \times \cos^2(12) - 9.806 \times 5 \times \cos^2(12)] \tan 12}{20 \times 5 \times \sin 12 \cos 12}$$

$$= \frac{[20 - 9.806] \cos(12) \tan(12)}{20 \sin(12) \cos(12)} = 1.27 < 1.5$$

$$20 \sin(12) \cos(12)$$

$$\tan \beta$$

$$= 1.5$$

unsaved.

(stable)

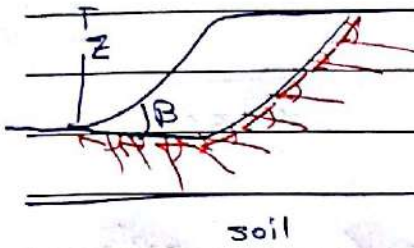
$$\beta = 10^\circ$$

قوت مقاوم > قوت لغزش

10/4/2016

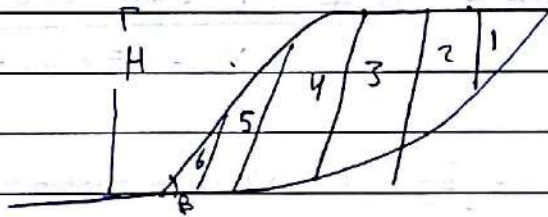
ex

B → failure gov



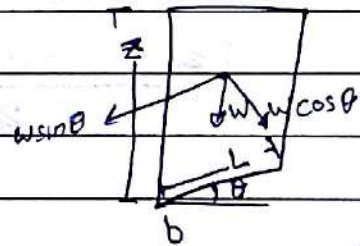
* Slope stability can be analyzed on different method.

- Limit equilibrium (most)



$$S.F = \frac{\tau_R}{\tau_m} = \frac{C + \sigma_n \tan \phi}{\tau_m}$$

$$= \frac{C + \frac{W \cos \theta}{A} \tan \phi}{\frac{W \sin \theta}{A}}$$



$$\cos \theta = \frac{b}{L}$$

$$\Rightarrow L = \frac{b}{\cos \theta}$$

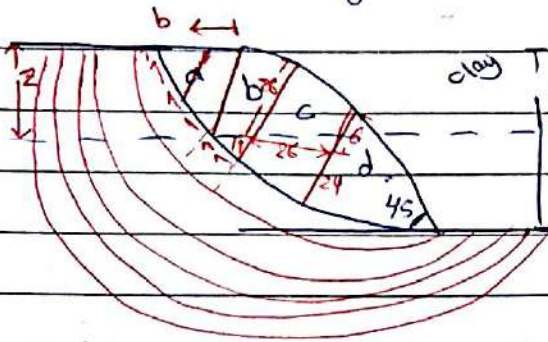
$$= \frac{CA + W \cos \theta \tan \phi}{W \sin \theta}$$

$$= \sum_{i=1}^n \frac{C_i \times b_i \times \sec \theta_i + W_i \cos \theta_i \tan \phi_i}{W_i \sin \theta_i} \gg 1.5$$

Fellenius method

ex

two layer



$$\gamma = 110 \text{ Pcf}$$

$$\text{Soft (A)} \quad \phi = 18^\circ$$

$$c = 350 \text{ Psf}$$

$$\text{Sand (B)} \quad \gamma = 120 \text{ Pcf}$$

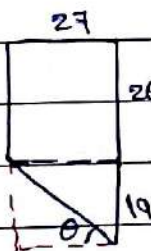
$$\phi = 34^\circ$$

$$c = 0$$

Slices Number Base in layer w $\tan \phi$ c b θ $\sec \theta$ $\cos \theta$ $\sin \theta$ $u \times b$ $\frac{c \times b}{\sec \theta}$

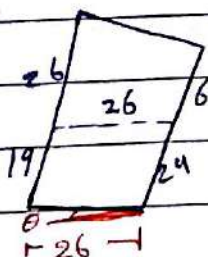
Slice No.	Base in layer	w	$\tan \phi$	c	b	θ	$\sec \theta$	$\cos \theta$	$\sin \theta$	$u \times b$	$\frac{c \times b}{\sec \theta}$	$\frac{(w - ub)}{\cos \theta \tan \phi}$	$w \sin \theta$
a	A	20.1	0.325	350	14	62°	2.13	0.469	0.882	0	10.44	3.06	17.75
b	B	108	0.675	0.0	27	33°	1.192	0.839	0.545	0.0	0	61.16	58.86
c	B	112.8	0.675	0.0	26	12°	1.022	0.978	0.208	0	0	74.46	21.54
d	B	40.3	0.675	0.0	26	-12°	1.022	0.978	-0.208	0	0	26.6	-8.38
										Σ	10.44	165.79	89.77

slice b



$$w = [26 \times 27 \times 16] + \left[\frac{1}{2} \times 27 \times 19 \times 120 \right] = 108k$$

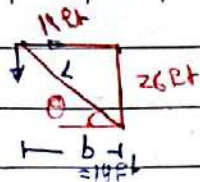
slice c



$$w = \frac{26 + 26}{2} \times 110 \times 26 + \left[\frac{19 + 24}{2} \times 26 \times 120 \right]$$

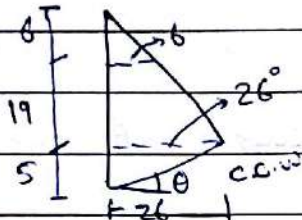
$$= 112.8$$

Slice a



$$W = \frac{1}{2} \times 14 \times 26 \times 110 = 20.1 \text{ k}$$

Slice d



$$W = \left(\frac{1}{2} \times 6 \times 6 \times 110 \right) + \left(\frac{6+26}{2} \times 19 \times 120 \right) = 40.3 \text{ k}$$

$$\leq SF = \frac{10.44 + 165.79}{89.77} = 1.96 > 1.5 \quad \dots \quad \underline{\text{ok}}$$

12/4/2016

② Bishop method.

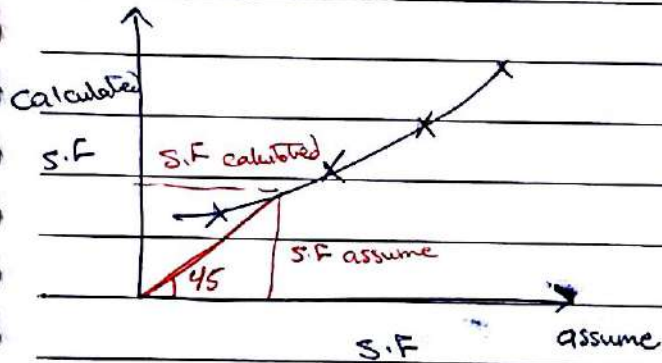
$$S.F. = \frac{\sum_{i=1}^n c_i b_i + \sum_{i=1}^n (w_i - u_i b_i) \tan \phi}{\sum_{i=1}^n w_i \sin \theta_i} \frac{1}{m_a}$$

↓
calculated

↑
assumed

$$m_a = \left[1 + \frac{\tan \phi \tan \theta}{S.F.} \right] \cos \theta$$

↑
assumed



ex

result of all cases

slice No.	Base in layer	w	$\tan \phi$	c	b	$u_i b_i$	θ	$\sin \theta$	m_a	$\frac{1}{m_a} [c_i b_i + w \tan \phi]$	$w \sin \theta$
a	A	20.1	0.325	350	14	0	62°	0.883	0.65	17.58	17.75
b	B	106	0.675	0	27	0	33°	0.545	1.03	70.78	58.86
c	B	112.8	0.675	0	26	0	12°	0.208	1.03	73.72 21.54	21.54
d	B	40.3	0.675	0	26	0	-12°	-0.208	1.03	29.2	-8.38
										$\Sigma = 191.48$	$\Sigma = 89.77$

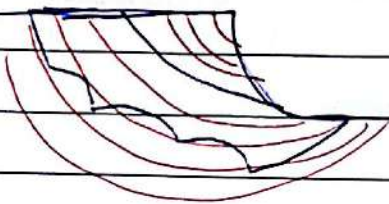
assume S.F = 2.0

$$S.F = \frac{191.48}{89.77}$$

$$= 2.13$$

← *لحمي*

(التي في) *



9.3

30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35
30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35
30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35
30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35
30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35
30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35
30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35
30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35
30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35
30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35	30-35

② Simplified Janbu's method

Janbu assumed a non-circular slip surface

$$S.F. = f_0 \left[\frac{\sum_{i=1}^n G b_i + \left[\sum_{i=1}^n w_i - u b_i \right] \tan \phi}{\sum_{i=1}^n w_i \tan \theta_i} \right] \frac{1}{m(\theta) \cos \theta_i}$$

calculated

f_0 = correction factor, 1.00 to 1.12

Example →

$f_0 = 1.04$

assume $S.F. = 1.40$

Layer A

$\gamma = 18 \text{ kN/m}^3$

$\phi = 18^\circ$

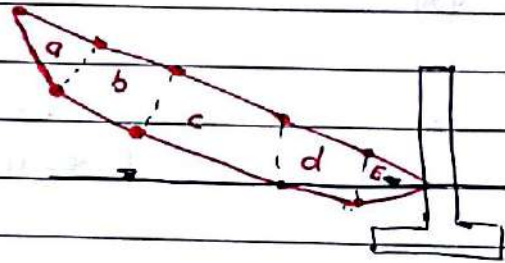
$c = 12 \text{ kN/m}^2$

Layer B

$\gamma_{sat} = 18 \text{ kN/m}^3$

$\theta = 20^\circ$

$c = 14.4 \text{ kN/m}^2$



slice No.	Base in layer	w	c	$\tan \phi$	b	θ	$\cos \theta$	$\tan \theta$	U	$m(\theta)$
a	A	108	12	0.325	3	53°	0.602	1.327	0.0	0.80
b	A	1139	12	0.325	11.5	24°	0.914	0.415	0.0	1.9
c	A	957	12	0.325	8.5	18°	0.951	0.325	0.0	1.02
d	B	813	14.4	0.364	9.5	12°	0.978	0.364	7.35	1.05
e	B	1474 126	14.4	0.364	3.5	-13°	0.974	-0.231	9.806	0.92

$$\frac{c_b + (w + vb) \tan \phi}{\cos \phi \cdot m(\phi)}$$

$$w \tan \theta$$

152

143

551

507

414

366

404

191

94

-29

$\Sigma = 1618$

$\Sigma = 1178$

$$SF = 1.04 \times \frac{1615}{1178} = 1.42$$